

End-to-End Vectorized HD-map Construction with Piecewise Bézier Curve

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Abstract

Vectorized high-definition map (HD-map) construction, which focuses on the perception of centimeter-level environmental information, has attracted significant research interest in the autonomous driving community. Most existing approaches first obtain rasterized map with the segmentation-based pipeline and then conduct heavy post-processing for downstream-friendly vectorization. In this paper, by delving into parameterization-based methods, we pioneer a concise and elegant scheme that adopts unified piecewise Bézier curve. In order to vectorize changeful map elements end-to-end, we elaborate a simple yet effective architecture, named *Piecewise Bézier HD-map Network (BeMapNet)*, which is formulated as a direct set prediction paradigm and postprocessing-free. Concretely, we first introduce a novel IPM-PE Align module to inject 3D geometry prior into BEV features through common position encoding in Transformer. Then a well-designed Piecewise Bézier Head is proposed to output the details of each map element, including the coordinate of control points and the segment number of curves. In addition, based on the progressively restoration of Bézier curve, we also present an efficient Point-Curve-Region Loss for supervising more robust and precise HD-map modeling. Extensive comparisons show that our method is remarkably superior to other existing SOTAs by 18.0 mAP at least¹.

1. Introduction

As one of the most fundamental components in the auto-driving system, high-definition map contains centimeter details of traffic elements, vectorized topology and navigation information, which instruct ego-vehicle to accurately locate itself on the road and understand what is coming up ahead. At present, conventional SLAM-based solutions [45, 46, 60] have been widely adopted in practice. Yet, due to dilemmas of high annotation costs and untimely updates, the offline approach is gradually being replaced by the learning-based online HD-map construction with onboard sensors.

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¹<https://github.com/er-muyue/BeMapNet>

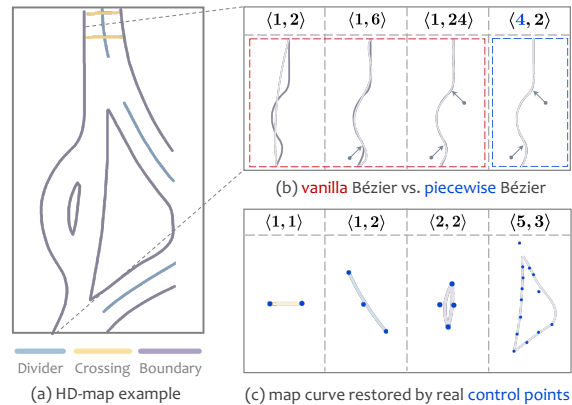


Figure 1. Illustration of our motivation for piecewise Bézier curve, termed as $\langle k, n \rangle$, where k is the piece number and n is the degree. **Fig.(a)** is a real HD-map case from NuScenes. **Fig.(b)** compares the difference between vanilla and piecewise Bézier curve through the same map element, where the light purple is the restored curve with Bézier process. The last is more efficient than previous ones with reducing the number of control points by 64% in this case. **Fig.(c)** illustrates that piecewise Bézier curve can model arbitrary-shaped curves. Note the blue circles denote actual control points.

The deep-based paradigm of online HD-map building is gradually developing, but it still faces two main challenges: 1) modeling instance-level vectorized HD-map end-to-end. Most existing works construct HD-map by rasterizing BEV (bird-eye-view) maps into semantic pixels with segmentation [24, 42], which not only lacks the modeling of instance-level details, but also requires heavy post-processing to obtain vectorized information. As a sub-task, lane detection makes a relatively better advance for this issue, that is, in addition to segmentation-based methods [39, 41, 62], there are also point-based [25, 47] and curve-based [12, 28] schemes. However, compared to the simple lane scenario, HD-map contains more shape-changeful elements, so such methods cannot be directly adopted into the HD-map construction. 2) performing 2D-3D perspective transformation efficiently. Obtaining 3D-BEV perception from multi-view 2D images is an essential step for building HD-map, which is mainly divided into three ideas, i.e. geometric priors [44], learnable parameters [40, 42], and a combination of the two [17, 43]. Note the assumptions of geometry-based methods often do

not conform to the actual situation, leading to such schemes are less adaptable, while learning-based methods require a large amount of labeled data to generalize across various scenarios. Combining the above two branches not only has multi-scenario scalability, but also reduces the demand for annotated data, has attracted increasing research interest.

To the best of our knowledge, the curve parameterization construction of *HD-map* in the *BEV* space is vacancy and no one has explored it. Based on the widely used Bézier curve, which is mathematically defined by a set of control points, we pioneer to devise a concise and elegant *HD-map* scheme that adopts *piecewise* Bézier curve, where each map curve is divided into multiple k segments and each segment is then represented by a vanilla Bézier curve with degree n , hence denoted as $\langle k, n \rangle$. Despite $\langle 1, n \rangle$ is enough to express any map element with infinite n in theory, more complex curve tends to require higher degree, meaning that there are more control points need to be modeled, which is shown in Fig.1. The proposed piecewise strategy allows us to parameterize a curve more compactly with fewer control points and higher capacity, which is extremely scalable and robust in practice.

Inspired by the above motivations, we propose an end-to-end vectorized *HD-map* construction architecture, named as *Piecewise Bézier HD-map Network (BeMapNet)*. The overall framework is illustrated in detail in Fig.2, which streamlines the architecture into four primary modules for gradually-enriched information, *i.e.* feature extractor shared among multi-view images, semantic *BEV* decoder for 2D-3D perspective elevation, instance Bézier decoder for curve-level descriptors, and piecewise Bézier head for point-level parameterization. To be concrete, we first introduce a novel *IPM-PE Align module* into Transformer-based decoders, which injects *IPM* (inverse perspective mapping) geometric priors into *BEV* features via *PE* (position encoding) and hardly adds any parameters except a *FC* layer. Secondly, we further design a *Piecewise Bézier Head* for dynamic curve modeling with adopting two branches as classification and regression, where the former classifies the number of piece to determine the curve length and the latter regresses the coordinate of control points to determine the curve shape. Lastly, we present an *Point-Curve-Region Loss* for robust curve modeling by supervising restoration information as a progressive manner. Since it is modeled as a sparse set prediction task and optimized with a bipartite matching loss, our method is postprocessing-free and high-performance. The main contributions of our approach are three-folds:

- We pioneer the *BeMapNet* for concise and elegant modeling of *HD-map* with unified piecewise Bézier curve.
- We elaborate the overall end-to-end architecture with innovatively introducing *IPM-PE Align Module*, *Piecewise Bézier Output Head* and well-designed *PCR-Loss*.
- *BeMapNet* is remarkably superior to *SOTAs* on existing benchmarks, revealing the effectiveness of our approach.

2. Related Work

2.1. Vectorized *HD-map* Construction

HD-map is precise at centimeter-level and consists of vectorized details not normally present on standard map [27], which highly aggravates the difficulty of obtaining accurate annotations in practice. Most previous methods focus on SLAM [11, 18, 22, 36, 46, 58] with exploring LiDAR points of the environment, involving large-scale data acquisition and labor-intensive annotations. Recently, more and more researchers formulate the process of building *HD-map* as a segmentation task [6, 13, 20, 32] from various sensors, such as cameras [15, 26, 34, 35, 40, 43, 59, 63] and LiDAR [1, 57]. HDMaNet [24] extracts features from the observations of multi-modalities and groups semantic rasterized maps with heuristic post-processing for vectorized results. Without any further vectorization, [42] only obtains semantic map representations from a Transformer-based camera-to-*BEV* module. Different from the above segmentation-based frameworks, our proposed *BeMapNet* adopts the parameterization-based paradigm and constructs instance-level vectorized *HD-map* end-to-end with a multi-view and camera-only manner, which is a more flexible and scalable solution for downstream tasks.

2.2. Structure Modeling of Geometric Data

HD-map contains various kinds of map elements, including *lane-divider*, *ped-crossing*, *road-boundary*, *etc.*, which are typically regarded as geometric data, *e.g.* points, polygons and curves. To the best of knowledge, there are two mainstream exploration directions for deep geometric modeling, one is point-based, including uniform-points and keypoints estimation, and the other is curve-based, including polynomial curve and Bézier curve. Taking the most related lane detection as an example, LineCNN [25] presents a novel line proposal unit to detect lanes as a set of points, and later LaneATT [47] represents a lane by equally-spaced 2D-points that achieves good performance. GANet [54] focuses on keypoint estimation and association with adaptively lane feature aggregator. HDMaGen [37] proposes a hierarchical point generative model for producing high-quality HD lane map. As for curve-based, [51] and [48] directly predict the polynomial coefficients with a differentiable least-squares fitting module and simple *FC* respectively. Recently, based on the DETR [4], LSTR [28] presents a query-based detector to decode poly-parameters of a lane end-to-end. Apart from this, some studies also adopt Bézier curve for geometry, such as text boundary [29], center-line segment [3] and lane curve [12]. Unlike these approaches of addressing simple-shape elements, our method innovatively employs piecewise Bézier curves without any complicated geometric assumptions to parameterize arbitrary-shape geometry in *HD-map* scenarios.

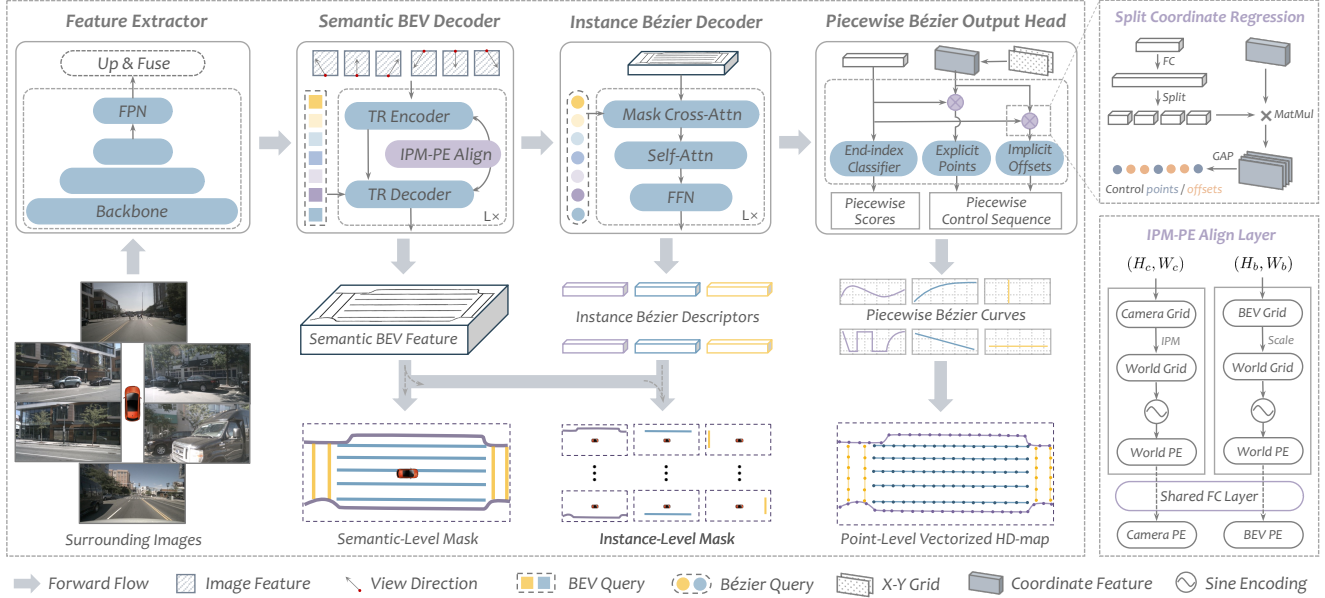


Figure 2. The architecture of our proposed **BeMapNet**, containing four primary components for extracting progressively richer information, *i.e.* image-level multi-scale features, semantic-level BEV feature, instance-level curve descriptors, and point-level Bézier control sequence. Right-top: The blue and orange circles represent explicit control points and implicit control offsets respectively. Note that the term GAP is global average pooling and MatMul is the matrix multiplication. Right-bottom: $(H_c, W_c)/(H_b, W_b)$ is the shape of image/BEV feature.

2.3. Multi-view Camera-to-BEV Transformation

In most 3D research studies, obtaining high-quality BEV representations from multi-view camera features is the top priority of various domains, such as 3D object detection [17, 30, 43, 55, 56], motion prediction [10, 16, 19, 23, 53] and map construction [24, 26, 40, 42]. IPM [44] is the most basic and straightforward method with a homography transformation, which is precisely calculated by camera parameters. Without adopting the 3D geometry prior, some methods [3, 40, 42] directly leverage learnable parameters to complete the perspective transformation. VPN [40] and Neat [9] both utilize a FC layer to transform the image features into the BEV space, and [42] further designs a multi-camera deformable attention unit based on transformer. However, in order to obtain more explicit BEV representations, more and more researches argue that the geometry priors has great advantages for model convergence and performance. Based on VPN, [24] fuse the multi-camera BEV spaces with the camera poses. LSS [43] and BEVDet [17] build the connection between camera-view and BEV based on the depth distribution estimation. DETR3D [56] manipulates predictions directly in 3D space with linking 3D positions to 2D spaces and [5] generates BEV features by regarding camera parameters as a reference. PETR [30] encodes the 3D information as position embedding and conducts query decoding on position-aware features. In addition to introducing the 3D geometry prior, we further performs position embedding alignment for transforming the camera features and BEV features into the world coordinate system.

3. Method

3.1. Problem Formulation

Preliminary on Piecewise Bézier Curve. A Bézier curve is a parametric curve which is formulated by a set of ordered control points c_0 through c_n as,

$$p(t) = \sum_{i=0}^n b_{i,n}(t)c_i, t \in [0, 1] \quad (1)$$

where n is the degree of the curve and $b_{i,n}(t)$ is known as Bernstein basis polynomial of degree n ,

$$b_{i,n}(t) = \binom{n}{i} t^i (1-t)^{n-i}, i = 0, \dots, n \quad (2)$$

According to Eq. 1, we know the first and last control points are endpoints of the curve, *i.e.* $p(0) = c_0$, $p(1) = c_n$. Then we define a piecewise Bézier curve $\langle k, n \rangle$ consists of k segments, each of which is an n -order Bézier and two consecutive segments satisfy the positional continuity condition as $p^j(1) = p^{j+1}(0)$, where j is the segment *id* varying from 0 to $k-2$. Hereafter, given a piecewise Bézier curve as shown in Fig. 3, we denote its ordered control points as,

$$\mathbb{C} = \{c_i^j \in \mathbb{R}^2 | i \in [0, n], j \in [0, k-1], c_n^j = c_0^{j+1}\} \quad (3)$$

Moreover, due to the first and last control points of each segment are always on the curve, we naturally term these points that retain a distinct significance as *explicit control points* \mathbb{C}^E and the remaining as *implicit control points* \mathbb{C}^I , where $\mathbb{C} = \mathbb{C}^E \cup \mathbb{C}^I$, $|\mathbb{C}^E| = k + 1$ and $|\mathbb{C}^I| = nk - k$.

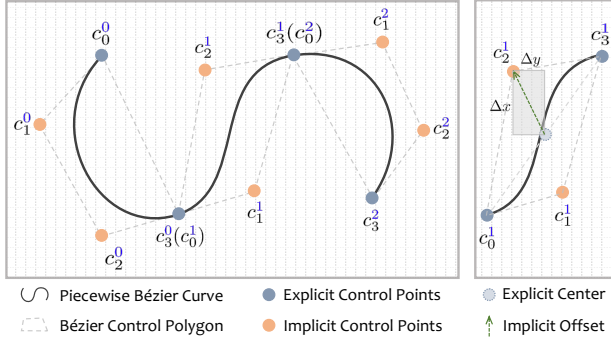


Figure 3. Illustration of a 3-piece 3-order piecewise Bézier curve, denoted as $\langle 3, 3 \rangle$ for the left part. For each segment, we model the implicit control point coordinates by an offset $(\Delta x, \Delta y)$ from the center of explicit control points as shown on the right part.

Vectorized *HD-map* Modeling. By sequentially sampling points along the elements in *HD-map*, each object can be structured as an open-shape curve as a vectorized manner. To uniformly parameterize these various shape-changeful map elements, including points, polygons and curves, we employ the piecewise Bézier curve proposed in Eq.3 and formalize a vectorized *HD-map* as a piecewise Bézier curve set $\mathcal{M} = \{C_i | i = 1, \dots, |\mathcal{M}|\}$, where $|\mathcal{M}|$ is the number of map instances. Our objective is to learn a model that extracts compact information from the camera sensors and predicts, for each map element, its corresponding Bézier control sequence, which uniquely determine the shape and position of the map curve. In addition, for the purpose of reducing the modeling complexity of implicit control points \mathbb{C}^I for each segment, we subtly generate implicit coordinates through the center of explicit control points and their relative offsets as shown in the right of Fig.3.

Piecewise Bézier Curve Modeling Principle. Considering the large-variety and changeful-shape of map elements, we present a *consistent-degree but dynamic-piece* principle for modeling piecewise curve more precisely and efficiently as, (1) *consistent-degree on semantic-level*. Due to a Bézier curve of degree k can be easily converted into degree $k + 1$ with the same shape, *i.e. degree elevation* in mathematics, the same curve may correspond to multiple Bézier solutions with only different degree. This kind of obfuscation is devastating for the network modeling. And we argue that keeping the *consistent-degree* within the same semantic category is the most efficient way to solve this dilemma.

(2) *dynamic-piece on instance-level*. Considering that the complexity of different map curve is always inconsistent, the modeling method with a fixed and large number of segments will not only cause excessive redundancy in the expression of each curve, but also lead to confusion in the definition of sub-segment, which places a certain burden on the model optimization. The *dynamic-piece* rule demands the model to choose the number of segments dynamically and parameterize a Bézier curve as compactly as possible.

3.2. Piecewise Bézier HD-map Network

3.2.1 Overall Architecture

The overall model architecture is illustrated in detail in Fig. 2, which streamlines the framework into four parts, namely feature extractor, semantic *BEV* decoder, instance Bézier decoder and piecewise Bézier output head respectively.

Feature Extractor. Given surrounding images from multi-camera as inputs, a shared CNN backbone is first employed to obtain each image feature, and then these multi-scale features from different stages are fed into FPN [50] to integrate rich environmental information. Last we upsample pyramid features to the same size and stack them together as outputs.

Semantic *BEV* Decoder. We leverage a standard encoder-decoder paradigm based on Transformer to elevate camera-view features into canonical *BEV* spaces. By treating the perspective transformation as a direct set prediction task, the *BEV* decoder takes camera features with shape $H_c \times W_c$ and $H_q \times W_q$ learnable *BEV* queries as inputs, and produces *BEV* features $F_b \in \mathbb{R}^{C \times H_b \times W_b}$ by modeling all pairwise interactions among elements with self- and cross-attention. Different from the region-agnostic query in DETR, we correspond each query with a $\gamma^h \times \gamma^w$ region on *BEV* features one-to-one, *i.e.* $H_b \times W_b = \gamma^h H_q \times \gamma^w W_q$. The F_b is then fed into a 1×1 conv and upsample block to obtain the final semantic mask $\mathbb{M}_s \in \mathbb{R}^{U \times H_s \times W_s}$, where U is the number of classes and $H_s \times W_s$ is the map shape. In addition, we also propose a novel *IPM-PE Align Layer* to refactor the features in different coordinate systems through the most common position encoding layer in Transformer.

Instance Bézier Decoder. So as to perform more accurate parametric modeling of each curve, we further equip an instance Bézier decoder based on masked cross-attention [8]. To be concrete, given semantic features F_b and learnable instance Bézier queries $Q \in \mathbb{R}^{V \times C}$, where V is the max number of instance, this module aggregates information and decodes Bézier descriptors $\vec{z} \in \mathbb{R}^{V \times C}$, which contain key info of geometric and positional relationships between different map elements. With extra performing matrix multiplication between \vec{z} and F_b , we obtain instance map mask $\mathbb{M}_z \in \mathbb{R}^{V \times H_s \times W_s}$, which is used as the foreground mask for next decoder layer and also to perform segmentation supervision for more spatial context information.

Piecewise Bézier Output Head. Following the principle elaborated in Sec.3.1, we closely design a piecewise Bézier output head with two core modules, *i.e. Split Coordinate Regression* and *Dynamic End-index Classification*, which are utilized to output the coordinates of Bézier control point sequence and the number of segments respectively. With easily recovering piecewise Bézier curves and further introducing the bipartite matching setting, the proposed output head constructs vectorized local *HD-map* very efficiently.

3.2.2 IPM-PE Align Layer

As a basic module of traditional Transformer architecture, positional encoding utilizes the sequence order by injecting information about the position of tokens [52], where *sin-cos* and *learned-based* functions are the most common practices. Yet, for the purpose of perspective transformation between 2D camera-views and 3D BEV, we argue it is not enough to only encode the *position correspondence* within single view, but it is also necessary to maintain the *position consistency* relationships between two perspectives. Thence we put forward a novel *IPM-PE Align Layer* to encode the 2D-3D geometry priors into features from different coordinate systems. To be concrete, given a point $p_c^{f_i} = (u, v, 1)^\top$ on the i -th camera-view feature and its corresponding world point $p_c^w = (x, y, z)^\top$, the following mathematical equation is satisfied on the assumption of pinhole camera model,

$$d \cdot A^{-1} \cdot p_c^{f_i} = K^i \cdot T^i \cdot p_c^w \quad (4)$$

where d is the depth, A is the transformation matrix between image-grid and feature-grid, K^i and T^i are i -th intrinsic and extrinsic matrices. Based on the assumption of that the ground surface is flat and at a fixed height in IPM, the world position (x, y) and depth d can be easily calculated through Eq.4. Note $d < 0$ denotes the position is not valid. As for the other branch of BEV perspective, given a point p_b^f from the BEV feature F_b and its world point p_b^w , there is usually only a scale relationship $\kappa = (\kappa_x, \kappa_y)$ between them,

$$p_b^f = \kappa \cdot p_b^w \quad (5)$$

Then we leverage the standard *sin-cos function* to convert all these world coordinates P_c^w and P_b^w as position embedding f_c^{pe} and f_b^{pe} respectively. Since the assumption of flat-ground and known-height usually does not hold in practice, f_c^{pe} and f_b^{pe} are not exactly aligned in the world coordinate system, we further adopt a shared FC layer on f_c^{pe} and f_b^{pe} to perform embedding alignment and then obtain more unified position encoding, which is shown in Fig.2 in detail.

3.2.3 Piecewise Bézier Output Head

Split Coordinate Regression Head. Following the illustration in the upper right corner of the Fig.2, we elaborate the forward flow of proposed regression head as four steps, 1) with i -th incoming Bézier descriptor $\tilde{z}_i \in \mathbb{R}^C$, we first convert its channel from C to $u \cdot v$ with adopting a standard FC layer and then split it into u parts to get a collection of coordinate descriptors $x_i^j \in \mathbb{R}^v$, where $j \in [1, u]$, u is the number of coordinate and v is the channel of descriptor.

2) given the desired output shape (H_s, W_s) , a hard-coded candidate coordinates grid $G \in \mathbb{R}^{2 \times H_s \times W_s}$ is generated with X-Y two channels and next a 1×1 conv layer is utilized to convert G to its coordinate feature $F_G \in \mathbb{R}^{v \times H_s \times W_s}$.

3) through conducting the matrix multiplication between the coordinate descriptor x_i^j and feature F_G , the coordinate activation map $h_i^j \in \mathbb{R}^{H_s \times W_s}$ is obtained dynamically.

4) after using a global average pooling on the spatial of h_i^j , the activation map is regressed to the final coordinate value.

Dynamic End-index Classification Head. Based on the prior of that the end point of a piecewise Bézier curve must be explicit, the proposed module model the dynamic length of segments prediction task as a N -classification problem, where N is the maximum pieces number for a certain map class. Specifically, with using a common FC and softmax block, each Bézier descriptor is naturally transformed into a N -dimensional probability vector, where each position denotes the score of the current index as a termination point. This novel indeterminate length modeling greatly increases the adaptability and scalability of our proposed framework.

3.3. End-to-End Training

According to the matrix form of Eq.1, that is, $P = BC$, where $B \in \mathbb{R}^{m \times n}$ is the Bernstein matrix, $C \in \mathbb{R}^{n \times 2}$ is control points, $P \in \mathbb{R}^{m \times 2}$ is vectorized points on the curve, m is the number of points and n is the degree. Obviously, given m, n , we can easily implement following procedures: 1) **vectorization.** Given the C , its corresponding vectorized curve can be restored efficiently with matrix multiplication. 2) **construction.** Given the orderly sampling points P , we readily construct C with solving the least-squares problem, i.e. $C = B^+P$ where $^+$ is the pseudo-inverse of a matrix.

Piecewise Bézier Ground Truth. The common *HD-map* annotation protocol always represents a curve with a set of vectorized points. We propose to first select some annotated keypoints and then divide the curve into k segments, where each is compactly modeled by an n -order Bézier curve. Following the procedure of **construction**, we present the ground truth generation algorithm in the Algorithm 1.

Algorithm 1: Piecewise Bézier Curve GenGT.

input : Annotated points P , Parameters n, m, ϵ
output: Piecewise Bézier curves \mathbb{C}

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1  $B = \text{GetBernsteinCoefficient}(n, m)$ ;
2  $B^+ = \text{MatrixPseudoInverse}(B)$ ;
3  $l \leftarrow |P|, s \leftarrow 0, e \leftarrow l - 1$ ;
4 while  $s < e$  do
5    $P^\dagger = \text{CurveInterpolate}(P[s, e])$ ;
6    $\mathbb{C}^\dagger = B^+ \times P^\dagger$ ;
7    $P^\ddagger = B \times \mathbb{C}^\dagger$ ;
8    $D' = \text{ChamferDistance}(P^\dagger, P^\ddagger)$ ;
9   if  $D' < \epsilon$  then
10     $\mathbb{C} \leftarrow [\mathbb{C}, \mathbb{C}^\dagger], s \leftarrow e, e \leftarrow l - 1$ ;
11  else  $e \leftarrow e - 1$ ;

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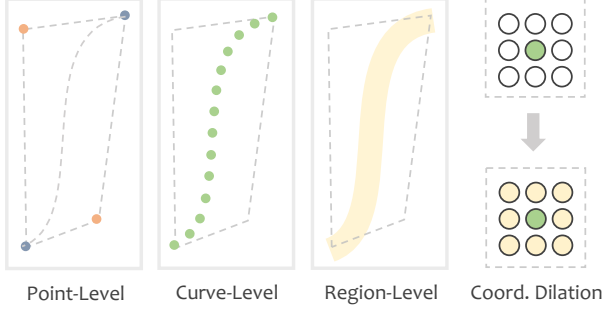


Figure 4. The first three diagrams are illustrations of *Point-Curve-Region Recovery Loss* for Bézier curve modeling. On the far right is a simple schematic diagram of coordinate dilation with $\omega = 1$.

Point-Curve-Region Recovery Loss. Given the Bézier control points, a novel *PCR-Loss* is proposed to supervise the learning procedure from three progressive levels, *i.e.* point, curve and region, which is shown in Fig.4 in detail.

1) *point-level supervision.* Assume the prediction of control sequence from the output head is $\hat{\mathbb{C}}$ and its corresponding ground truth is \mathbb{C} , we firstly leverage the $L1$ -loss between these coordinates sequentially as,

$$\mathcal{L}_{point} = \frac{1}{|\hat{\mathbb{C}}|} \sum_{i=1}^{|\hat{\mathbb{C}}|} \|\mathbb{C}_i - \hat{\mathbb{C}}_i\|_1, \quad (6)$$

2) *curve-level supervision.* Due to the parametric property of Bézier curve that a slight deviation of control points $\hat{\mathbb{C}}$ might cause a great change of the curve, we further restore the control sequence $\hat{\mathbb{C}}$ (or \mathbb{C}) to curve sequence $\hat{\mathcal{P}}$ (or \mathcal{P}) with the *vectorization* process and adopt the $L1$ -loss as,

$$\mathcal{L}_{curve} = \frac{1}{|\hat{\mathcal{P}}|} \sum_{i=1}^{|\hat{\mathcal{P}}|} \|\mathcal{P}_i - \hat{\mathcal{P}}_i\|_1 \quad (7)$$

3) *region-level supervision.* For digging out more intuitive supervision information, we further recover curve $\hat{\mathcal{P}}$ from the form of discrete coordinates into region mask. First of all, we introduce a coordinate dilation operator, which takes the current coordinate p_{ij} as the center and then generates $(2\omega + 1)^2$ surrounding coordinates $p_{\alpha\beta}$ with the giving dilation width ω , where $\alpha \in [i - \omega, i + \omega]$ and $\beta \in [j - \omega, j + \omega]$. Secondly, we conduct the coordinate dilation on each point from curve $\hat{\mathcal{P}}$ and then obtain dilated curve points sequence $\hat{\mathcal{P}}^\sharp$, which can be regarded as the foreground coordinates of the predicted mask \hat{M} , *i.e.* $\mathcal{S}(\hat{M}, \hat{\mathcal{P}}^\sharp) = 1$, where \mathcal{S} is the grid sampling operation to compute the output values using \hat{M} and point coordinates $\hat{\mathcal{P}}^\sharp$ from grid. Finally, after performing the grid sampling \mathcal{S} on ground truth map mask M with the same dilated prediction curve, we then bridge a segmentation-base region supervision between M and $\hat{\mathcal{P}}^\sharp$, which can be formulated mathematically as,

$$\mathcal{L}_{region} = \mathcal{L}_{dice}(\mathcal{S}(M, \hat{\mathcal{P}}^\sharp), \mathcal{S}(\hat{M}, \hat{\mathcal{P}}^\sharp)) \quad (8)$$

where \mathcal{L}_{dice} is the common dice loss function in [38].

4) *overall PCR-Loss.* In order to exert the above three-level supervision at the same time, we put forward that the overall *PCR-Loss* is a weighted sum of all three losses as,

$$\mathcal{L}_{PCR} = \lambda_p \mathcal{L}_{point} + \lambda_c \mathcal{L}_{curve} + \lambda_r \mathcal{L}_{region} \quad (9)$$

Multi-task Auxiliary Loss. The paradigm of multi-task learning can reduce the risk of overfitting by leveraging the domain-specific information included in the training signals of related tasks [61]. Thence, in addition to supervising the curve-level Bézier modeling procedure of the final head, we also perform auxiliary segmentation-based supervision on the intermediate modules, *i.e.* semantic-level BEV decoder and instance-level Bézier decoder. Given the output masks $\hat{\mathbb{M}}_s$ and $\hat{\mathbb{M}}_z$ in the Sec.3.2, we formulate the auxiliary loss with the combination of two tasks supervision as,

$$\mathcal{L}_{AUX} = \lambda_s \mathcal{L}(\mathbb{M}_s, \hat{\mathbb{M}}_s) + \lambda_z \mathcal{L}(\mathbb{M}_z, \hat{\mathbb{M}}_z) \quad (10)$$

where \mathbb{M}_* denotes the ground truth and λ_* is the weighted factor. Note that \mathcal{L} is a compound loss with common cross entropy loss and dice loss, namely $\mathcal{L} = \mathcal{L}_{ce} + \mathcal{L}_{dice}$.

4. Experiments

4.1. Experimental Settings

Existing Benchmarks. To evaluate the proposed approach, we conduct experiments on the popular *NuScenes* dataset [2], which consists of 28, 130/6, 019 samples and 700/150 driving scenes for the training/validation set respectively. Each scene contains roughly 40 samples and each sample includes 6 surrounding images, covering 360° FOV of the ego-vehicle. For the sake of fair comparison, we follow the previous work [24] and focus on three static map categories, *i.e.* *lane-divider*, *ped-crossing* and *road-boundary*. Taking the ego-vehicle as the center, we set the perception range to [30, 30, 15, 15]m, which corresponds to the distances of front, rear, left and right respectively, and fix the resolution of ego-to-pixel as 0.15 *m/pixel*. In addition, for exploring the performance of our method under different lighting and weather conditions, we further divide *NuScenes* into five kinds of scene, namely *day*, *night*, *sunny*, *cloudy* and *rainy*. Refer to the supplementary material for more details.

Evaluation Metrics. We utilize the exact same evaluation protocol as [24] of average precision (AP) to access the map construction quality over the instance-level. To be concrete, given a pair of instances from ground-truth and predictions respectively, this protocol computes the Chamfer Distance between them and considers the prediction as true-positive only if the distance is less than a specified threshold, which is set to [0.2, 0.5, 1.0]m in our experiment. Note the overall AP metric is obtained by averaging across three thresholds. Moreover, as for a more informative comparison, the results under different lighting/weather conditions and a much simpler threshold setup of [0.5, 1.0, 1.5]m are further provided.

Method	Backbone	Epoch	AP _{divider}	AP _{cross}	AP _{boundary}	mAP	mAP _{day}	mAP _{night}	mAP _{sunny}	mAP _{cloudy}	mAP _{rainy}
IPM(B) [24]	Eff-B0	30	10.7	4.7	11.7	9.0	-	-	-	-	-
IPM(CB) [24]	Eff-B0	30	24.0	7.3	27.8	19.7	-	-	-	-	-
LSS [43]	Eff-B0	30	22.9	5.1	24.2	17.4	11.5 ^b	13.3 ^b	12.0 ^b	12.8 ^b	9.5 ^b
VPN [40]	Eff-B0	30	22.1	5.2	25.3	17.5	17.9 ^b	17.5 ^b	18.2 ^b	18.5 ^b	15.9 ^b
HDMaNet [24]	Eff-B0	30	28.3	7.1	32.6	22.7	21.4 ^b	17.4 ^b	21.5 ^b	23.4 ^b	18.9 ^b
<i>BeMapNet</i>	Eff-B0	30	46.7	37.4	38.0	40.7	41.3	28.6	41.4	44.9	36.2
<i>BeMapNet</i>	Res-50	30	46.9	39.0	37.8	41.3	41.9	30.4	42.6	43.6	37.4
<i>BeMapNet</i>	Swin-T	30	49.1	42.2	39.9	43.7	44.3	34.4	44.8	47.9	37.8
<i>BeMapNet</i>	Res-50	110	52.7	44.5	44.2	47.1	47.7	39.2	48.7	50.3	41.4
<i>BeMapNet</i>	Swin-T	110	54.2	46.5	46.5	49.1	49.8	37.3	50.4	53.5	42.8
<i>BeMapNet</i>	Swin-B	110	55.3	47.0	49.4	50.5	51.2	38.0	52.2	54.8	43.6
<i>BeMapNet</i>	Res-50	30	62.3	57.7	59.4	59.8	60.5	46.9	62.5	61.9	53.0
<i>BeMapNet</i>	Swin-T	30	64.4	61.3	61.6	62.5	63.1	53.2	64.7	66.0	54.2
<i>BeMapNet</i>	Swin-B	110	69.0	64.4	69.7	67.7	68.3	54.6	70.3	71.6	58.0

Table 1. Comparisons with *SOTAs* on *NuScenes* under thresholds of $[0.2, 0.5, 1.0]m$ and $[0.5, 1.0, 1.5]m$, where the results of latter easier evaluation protocol is marked by *Green* shade. The *Blue* shade contains the results that used in all ablation studies for a fair comparison. Note ^b and - indicate the results are re-implemented by us with public code and not available respectively.

Implementation Details. We employ EfficientNet-B0 [49], ResNet-50 [14] and SwinTR [31] as backbones, which are all initialized by ImageNet [21] pretraining. The following semantic *BEV* decoder stacks 2 transformer encoder layers and 4 decoder layers with 64×32 *BEV* queries, and the instance Bézier decoder stacks 6 mask-transformer decoder layers with 60 queries, where 20, 25, 15 for *lane-divider*, *ped-crossing* and *road-boundary* respectively. The shape of input image is resized to 896×512 and the mini-batch size is set to 1 per GPU. We train our model with 8 GPUs for 30/110 epochs and adopt multi-step schedule with milestone $[0.7, 0.9]$ and $\gamma = \frac{1}{3}$. The AdamW [33] optimizer is employed with a weight decay of $1e^{-4}$ and a learning rate of $2e^{-4}$, which is multiplied by 0.1 for backbone. As for hyper-parameters of loss weight, we set $\lambda_s, \lambda_z, \lambda_p, \lambda_c, \lambda_r$ to 1, 5, 5, 10, 1 respectively and the dilated width ω in \mathcal{L}_{region} to 5. The deployments of piecewise Bézier curve $\langle \mathbf{k}, \mathbf{n} \rangle$ for *lane-divider*, *ped-crossing* and *road-boundary* are set to $\langle 3, 2 \rangle, \langle 1, 1 \rangle, \langle 7, 3 \rangle$. Note m in Algorithm 1 is set to 100.

4.2. Comparisons with State-of-the-art Methods

We present the overall evaluation results on *NuScenes* in Table 1, which shows that our *BeMapNet* is significantly superior to the existing *SOTA* approaches by a large margin (up to **18.0**) under the same setting of EfficientNet-B0 and 30 epochs, indicating the effectiveness of our approach. In addition, after replacing the backbone with more common ResNet-50 and more popular SwinTiny, our model achieves a further improvement of 0.6 and 3.0 AP respectively. Next, considering the slow convergence of the Transformer-based model, we increase the training schedule to 110 epochs and gain at least another 5.4 improvements. Even in somewhat unconventional scenarios, such as night and rainy, our proposed approach still shows a great advantage, *i.e.* 13.2 and

Position Encoding	AP _{divider}	AP _{cross}	AP _{boundary}	mAP
Sine PE	42.8	34.1	34.7	37.2
Learned PE	40.2	32.2	33.8	35.4
IPM-PE	46.4	39.2	37.8	41.1
+ Exclusive <i>FC</i>	38.6	33.3	33.9	35.3
+ Shared <i>FC</i>	49.1	42.2	39.9	43.7

Table 2. Comparisons on different methods of position encoding.

16.9 AP are obtained respectively. Furthermore, another interesting observation is that regardless of which method is used, we find that the performance of sunny scene is always slightly lower than cloudy. We believe that strong illuminations and ground shades on sunny day might have a certain impact on the perception of map objects. As a supplement, the last three rows of Table 1 show the performance of our approach on a much simpler evaluation protocol.

4.3. Ablation Study

The Different Way of Position Encoding. Table 2 shows the performance of different *PE* in semantic *BEV* decoder for the map construction. Compared with the *sine/learned-based* method, our proposed *IPM-PE* module improves AP by 3.9/5.7 respectively, which proves the multi-perspective *PE* guided by the intrinsic and extrinsic parameters is very effective. Moreover, through the results in the 3-*rd* and 5-*th* row, we find that *IPM-PE* with shared *FC* layer alignment gains an further improvement of 2.6 points. Yet, in order to rule out the possibility of that the attached *FC* layer brings an increment, we then feed the position embeddings from *IPM-PE* into two **exclusive** *FCs* and the 4-*th* row results exclude the influence of *FC*. These comparisons indicate the shared align layer is the exactly essential part to mitigate the performance decline brought by the unreasonable assumption of *IPM*, which validates our conjecture in Sec.3.2.2.

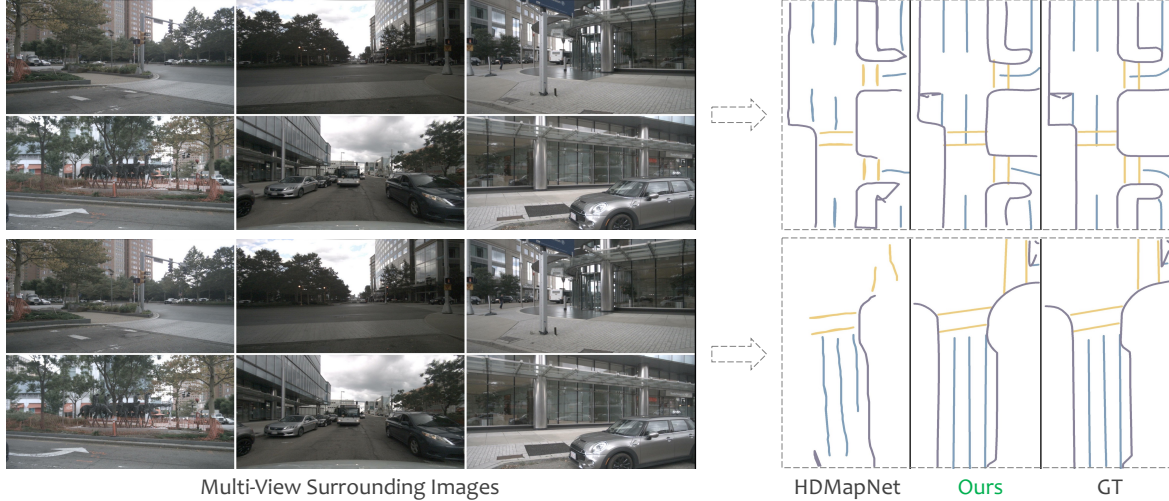


Figure 5. The qualitative comparison results of *HDMaNet* [24], *BeMapNet* and *GroundTruth* [2] under different scenarios.

Effectiveness of *PCR-Loss*. The *PCR-Loss* mainly consists of three parts, *i.e.* point, curve and region. Table 3 shows detailed ablation results of the role of each part. Specifically, with adopting only one supervision in rows 1 ~ 3, the performance trend is roughly: *curve* > *point* > *region*. Among them, it is worth noting that the only *region-based* supervision shows very poor performance, which is understandable because the generation of region mask relies on a collection of relatively accurate points. This conjecture is also verified in rows 4 ~ 5 of the Table 3. Furthermore, when integrating multiple loss supervision, the final performance is consistently improved compared to the single one, and three parts used together achieves the optimal AP results of 43.7.

Point	Curve	Region	$AP_{divider}$	AP_{ped}	$AP_{boundary}$	mAP
✓	✗	✗	39.1	33.3	23.7	32.0
✗	✓	✗	47.2	35.1	35.9	39.4
✗	✗	✓	3.2	2.6	0.5	2.1
✓	✗	✓	40.7	39.4	16.7	32.9
✗	✓	✓	48.2	38.5	39.7	42.1
✓	✓	✗	46.5	38.5	36.2	40.4
✓	✓	✓	49.1	42.2	39.9	43.7

Table 3. The effectiveness of different modules in *PCR-Loss*.

Effectiveness of Multi-task Auxiliary Loss. Without any auxiliary loss, the average AP of our proposed *BeMapNet* is only 20.0. Yet, after adopting another semantic/instance supervision, the result is improved to 34.5/38.4 respectively and goes further to 43.7 with employing both, which shows the auxiliary tasks for producing high-quality semantic *BEV* features and instance descriptors are very important.

Semantic	Instance	$AP_{divider}$	AP_{ped}	$AP_{boundary}$	mAP
✗	✗	21.5	17.8	20.7	20.0
✓	✗	39.3	31.5	32.8	34.5
✗	✓	44.3	34.6	36.5	38.4
✓	✓	49.1	42.2	39.9	43.7

Table 4. The effectiveness of different modules in *AUX-Loss*.

Comparison with Polyline Vectorization. An amusing fact is that a Bézier curve with $n = 1$ is simply a straight line between two control points. By setting the degree of all elements to 1, our framework naturally degenerates into the *polyline-based* method. Note we further set k to 9, 1, 29 for *lane-divider*, *ped-crossing* and *road-boundary* respectively. The comparisons in Table 5 shows the Bézier-based vectorization approach achieves better 4.5 AP. Interestingly, as the complexity of map element shape increases (usually *ped-crossing* < *lane-divider* < *road-boundary*), we find that the corresponding *AP* improvement increases as well.

Vectorization	$AP_{divider}$	AP_{ped}	$AP_{boundary}$	mAP
Polyline	45.0	39.1	33.4	39.2
Bézier	49.1 (+4.1)	42.2 (+3.1)	39.9 (+6.5)	43.7 (+4.5)

Table 5. Comparison with the different type of vectorization.

Qualitative Analysis. We show the qualitative comparisons with *SOTAs* in Fig. 5. Besides avoiding complex vectorized post-processing, the proposed *BeMapNet* constructs various and changeful *HD*-elements more compactly and robust. Note that more extensive visualizations under different conditions are further provided in our supplementary material.

5. Conclusion

Vectorized *HD-map* online construction focuses on the perception of centimeter-level environmental information. Starting from the conventional parameterization-based methods, this paper presents an end-to-end postprocessing-free architecture, namely *BeMapNet*, with leveraging unified piecewise Bézier curve for various and changeful map elements. By introducing three well-designed modules, *i.e.* *IPM-PE Align Module*, *Piecewise Bézier Head* and *Point-Curve-Region Loss*, the overall framework is concise and elegant, which reaches state-of-the-art performance and provides a new perspective for future *HD-map* research.

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