Fisher Information Guidance for Learned Time-of-Flight Imaging (Supplementary Material)

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The supplementary material is composed of the following parts: a) more evaluation metrics of depth reconstruction, b) generalization ability on other depth datasets. Since we currently working on the following up research works based upon the proposed method in this paper, we promise to open source the code soon.

More evaluation metrics of depth reconstruction. Here, we show comparisons in other metrics for depth performance evaluation [2]. These metrics are defined as:

Root Mean Squared Error (RMSE) : $\sqrt{\frac{1}{n} \sum_{i=1}^{n} (\hat{y_i} - y_i)^2}$,
Absolute Relative Difference (Abs. Rel) : $\frac{1}{n} \sum_{i=1}^{n} \frac{ \hat{y}_i - y_i }{\hat{y}_i}$,
Squared Relative Difference (Sq. Rel) : $\frac{1}{n} \sum_{i=1}^{n} \frac{(\widehat{y_i} - y_i)^2}{\widehat{y_i}}$,
Threshold Accuracy (δ) : max $(\frac{\hat{y_i}}{y_i}, \frac{y_i}{\hat{y_i}}) = \delta < thr$ for $thr = 1.04$.

Tab. 1 lists the average performance metrics of the three noise levels on the NYU-V2 test dataset. As shown, the proposed method elegantly outperforms the existing iToF imaging methods, coding functions, and reconstruction methods, in these metrics.

(a) Overall Performance	RMSE (mm) \downarrow	Abs. Rel↓	Sq. Rel↓	$\delta \uparrow$
Sinusoid + PS [4]	385.652	0.170	31.975	0.188
Square + PS [4]	267.312	0.109	15.228	0.286
Hamilton [3]	320.479	0.095	20.977	0.421
DeepToF [8]	92.765	0.053	2.482	0.527
(b) Coding Function	RMSE (mm) \downarrow	Abs. Rel↓	Sq. Rel↓	$\delta \uparrow$
Sinusoid	66.641	0.041	1.437	0.640
Dual-freq Sinusoid	49.330	0.018	0.790	0.920
Square	56.717	0.038	0.989	0.646
Hamiltonian [3]	30.466	0.016	0.235	0.926
(c) Recovery Method	RMSE (mm) \downarrow	Abs. Rel↓	Sq. Rel↓	$\delta \uparrow$
DeepToF [8]	73.334	0.153	1.607	0.703
MaskToF [1]	40.468	0.019	0.350	0.893
Our method	23.513	0.011	0.129	0.972

Table 1. Comparison in other metrics of the overall performance, coding functions, and reconstruction methods. Note that \downarrow denotes that the smaller value the better performance, and \uparrow denotes that the bigger value the better performance.

Generalization ability on other datasets. To demonstrate the generalization ability of the proposed iToF imaging method, we perform a cross-dataset evaluation by training our network on the NYU-V2 dataset [6] and evaluating it on the other depth datasets, i.e. SUN RGB-D dataset [7] and 4D Light Field dataset [5] without any finetuning. We select 14 scenes of the 4D

Light Field Dataset and 200 scenes of the SUN RGB-D dataset as the test datasets. As shown in Tab. 2, our method shows good generalization capability on the two datasets and still achieves the best depth reconstruction fidelity. The qualitative depth reconstruction results are shown in Figs. 1-6. Compared with the other methods, our method can reconstruct the depth details of the scenes and maintain a high depth accuracy even at high noise levels on the two test datasets.

(a) SUN RGB-D	MAE (mm)/RMSE (mm)				
Sinusoid + PS [4]	198.30/330.28	264.28/417.36	335.20/502.36		
Square + PS [4]	123.86/212.12	173.63/293.48	232.11/376.42		
Hamilton [3]	111.95/269.03	167.77/357.11	230.85/438.57		
DeepToF [8]	47.10/78.70	65.51/98.10	103.40/141.56		
Ours	14.11/27.36	15.09/28.44	20.39/34.55		
(b) 4D Light Field	MAE (mm)/RMSE (mm)				
Sinusoid + PS [4]	251.41/422.65	320.19/505.67	389.86/581.65		
Square + PS [4]	161.45/287.52	221.26/380.14	284.72/463.68		
Hamilton [3]	161.30/364.15	225.74/453.58	290.72/528.47		
DeepToF [8]	50.27/85.42	68.94/102.45	100.94/133.56		
Ours	16.84/37.20	17.03/36.91	21.66/41.06		

Table 2. Depth reconstruction performance of different iToF methods on other two datasets [5, 7] with respect to three different noise settings from the 2nd to 4th column.

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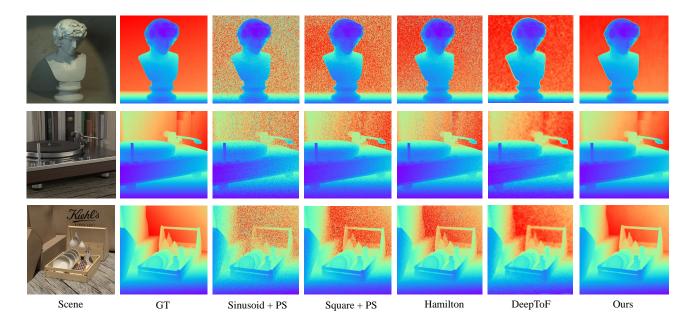


Figure 1. Depth reconstruction results on 4D Light Field Dataset [5] under small noise level, i.e. $(E, \beta) = (20000, 6000)$.

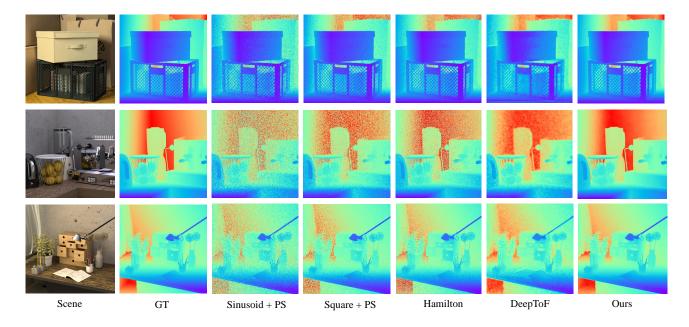


Figure 2. Depth reconstruction results on 4D Light Field Dataset [5] under middle noise level, i.e. $(E, \beta) = (14000, 6000)$.

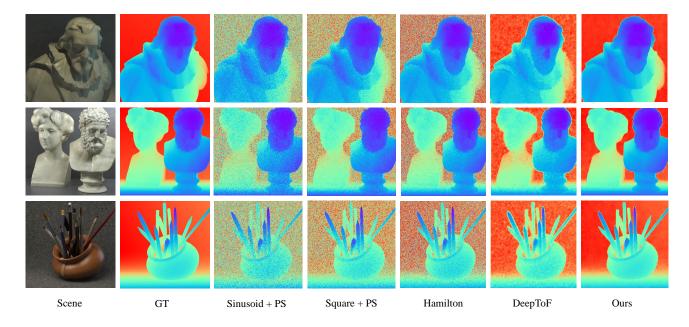


Figure 3. Depth reconstruction results on 4D Light Field Dataset [5] under large noise level, i.e. $(E, \beta) = (10000, 6000)$.

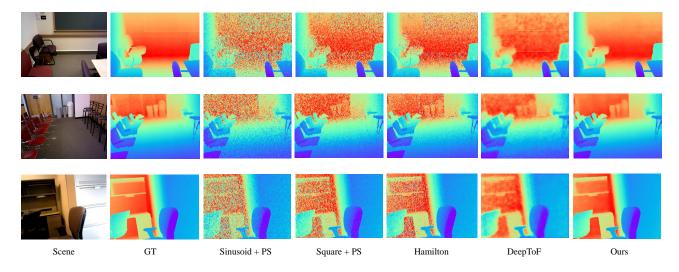


Figure 4. Depth reconstruction results on SUN RGB-D dataset [7] under small noise level, i.e. $(E, \beta) = (20000, 6000)$.

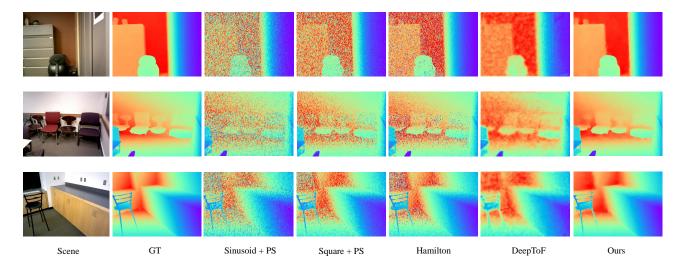


Figure 5. Depth reconstruction results on SUN RGB-D dataset [7] under middle noise level, i.e. $(E, \beta) = (14000, 6000)$.

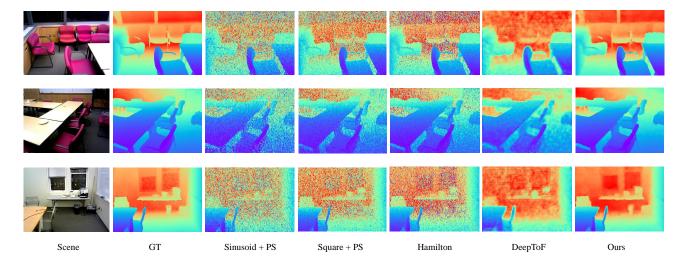


Figure 6. Depth reconstruction results on SUN RGB-D dataset [7] under large noise level, i.e. $(E, \beta) = (10000, 6000)$.