Consistency Regularization for Generalizable Source-free Domain Adaptation Supplementary Materials

1. Results on DomainNet testing set

We further evaluate the generalization ability of existing SFDA methods on the DomainNet dataset, as shown in Table 1. The train-test split is the same as [3], and testing set results of previous methods are reproduced with their official codes. Our consistency regularization based paradigm shows high accuracy both in training and testing data, avoiding a giant performance degradation on testing data like what appeared in previous works.

Table 1. Accuracy (%) and its drop between target training and testing data on DomainNet dataset. Best results are highlighted.

Method	SF	Target	Test	Drop		
SHOT [1]	\checkmark	65.1	62.7	2.4(3.7%↓)		
G-SFDA [5]	\checkmark	63.3	58.1	5.2(8.2%↓)		
NRC [4]	\checkmark	64.7	60.6	4.1(6.3%↓)		
DaC [6]	\checkmark	68.3	66.6	1.7(2.5%↓)		
Ours	\checkmark	69.2	67.9	1.3(1.9% ↓)		

2. Full results on testing set

Table 2 and Table 3 shows accuracy results on VisDA-2017 and DomainNet testing set. Our consistency regularization based SFDA method gains improvement on most classes, especially for those who suffer from severe performance degradation with previous SFDA works. It proves that our method can avoid overfitting issues and develop a more generalizable model under the SFDA setting, which are essential for real-world scenarios.

Table 2. Per-class and mean accuracy (%) on VisDA-2017 testing set. SF means source-free. We highlight the best results and underline the second-best ones in SFDA methods. † means these results from *VisDA2017 Classification Challenge* [2] leaderboard, which are under **easier** vanilla UDA setting and may use **stronger** backbone causing **unfair** comparisons.

Method	SF	plane	bcycl	bus	car	horse	knife	mcycl	person	plant	sktbrd	train	truck	Avg.
BUPT [†]	×	95.7	67.0	93.4	97.2	90.6	86.9	92.0	74.2	96.3	66.9	95.2	69.2	85.4
$IISC_SML^{\dagger}$	×	92.4	81.0	86.4	92.2	87.9	89.4	69.4	84.2	96.4	85.3	83.5	89.3	86.4
NLE^{\dagger}	×	94.3	86.5	86.9	95.1	91.1	90.0	82.1	77.9	96.4	77.2	86.6	88.0	87.7
SHOT [1]	✓	81.4	73.4	77.2	81.9	80.0	79.7	54.0	63.3	91.8	45.7	78.7	78.9	73.2
G-SFDA [5]	\checkmark	89.2	76.2	88.0	93.4	87.7	83.0	71.4	62.4	92.8	74.6	82.9	79.7	81.8
NRC [4]	\checkmark	90.3	84.9	85.7	86.0	88.9	83.2	69.2	66.1	95.4	69.1	85.4	79.2	82.0
DaC [6]	\checkmark	93.3	73.5	85.2	93.6	90.7	86.0	80.0	68.5	96.5	76.6	81.8	84.7	84.2
Ours	\checkmark	93.7	80.6	87.7	93.9	88.2	97.9	77.8	81.3	96.9	82.3	87.2	87.3	87.8

3. Adaptation procedure

Algorithm 1 shows the overall adaptation process of our proposed SFDA method. Instead of introducing multiple loss terms with some balance hyper-parameters by previous works, our method only has one loss term, which can effectively

Table 3. Accuracy (%) on DomainNet testing set. SF means source-free. We highlight the best results and underline the second-best ones.

Method	SF	$Rw{\rightarrow}Cl$	$Rw {\rightarrow} Pt$	$Pt \rightarrow Cl$	$Cl {\rightarrow} Sk$	$Sk {\rightarrow} Pt$	$Rw {\rightarrow} Sk$	$Pt {\rightarrow} Rw$	Avg.
SHOT [1]	✓	64.1	59.0	64.9	59.0	59.6	58.8	73.3	62.7
G-SFDA [5]	\checkmark	57.4	58.5	57.4	51.9	54.0	54.8	73.0	58.1
NRC [4]	\checkmark	61.2	60.7	61.5	55.1	58.9	52.2	74.5	60.6
DaC [6]	\checkmark	68.0	68.5	65.9	60.0	63.5	60.3	79.6	<u>66.6</u>
Ours	\checkmark	71.4	68.3	71.2	63.2	65.1	62.2	74.1	67.9

erase the burden of the hyper-parameters optimization process.

Algorithm 1 Process of our proposed SFDA method. **Input**: target unlabelled dataset $D_t = \{x_i^t\}_{i=1}^{n_t}$, source model $h_s = f_s \circ g_s$. **Parameters**: maximum iteration *I*, sharpening temperature *T*, selection threshold τ , mapping functions \mathcal{M} and \mathcal{T} . 1: Initialize prediction bank P and feature bank F2: *iter* $\leftarrow 0$ 3: while iter < I do Fetch mini-batch samples x_i from D_t 4: Apply strong image augmentation $x'_i = \mathcal{A}(x_i)$ 5: Compute model prediction $p_i, p'_i = h(x_i, x'_i)$ 6: 7: 8: Derive soft pseudo-labels $\hat{p}_k(x_i)$ and sampling probabilities ξ_i ⊳ Eq. (1,3) 9: Compute consistency regularization loss $\hat{\mathcal{L}}_{cr}$ ⊳ Eq. (4) 10: Compute class-wise weight w_{div} with prediction bank P ⊳ Eq. (**5**,**6**) 11: Update prediction bank P with current mini-batch predictions 12: 13: 14: Update prototype and compute assignments of samples with feature bank F⊳ Eq. (7) Compute prototype calibration weight w_{proto} ⊳ Eq. (8) 15: Update feature bank F with current mini-batch features 16: 17: Compute final loss $\mathcal{L} = w_{div} \cdot w_{proto} \cdot \hat{\mathcal{L}}_{cr}$ and update model 18: 19: end while

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