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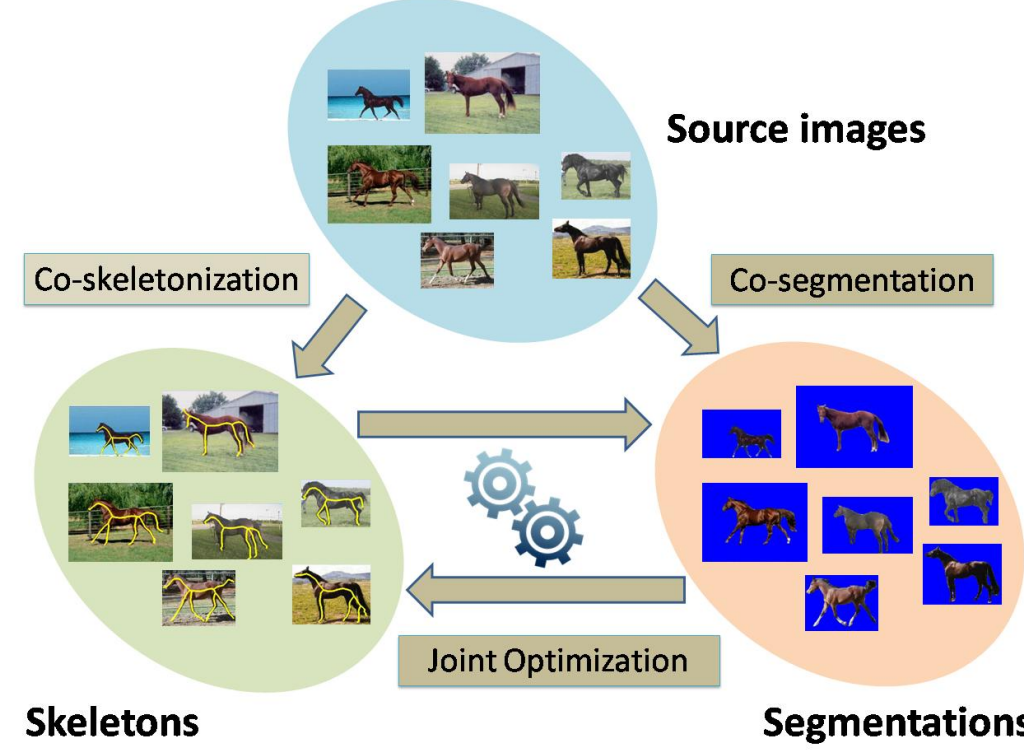
## Introduction

**Goal:** To exploit joint processing to extract objects' skeletons in images of the same category, which is also known as object co-skeletonization.

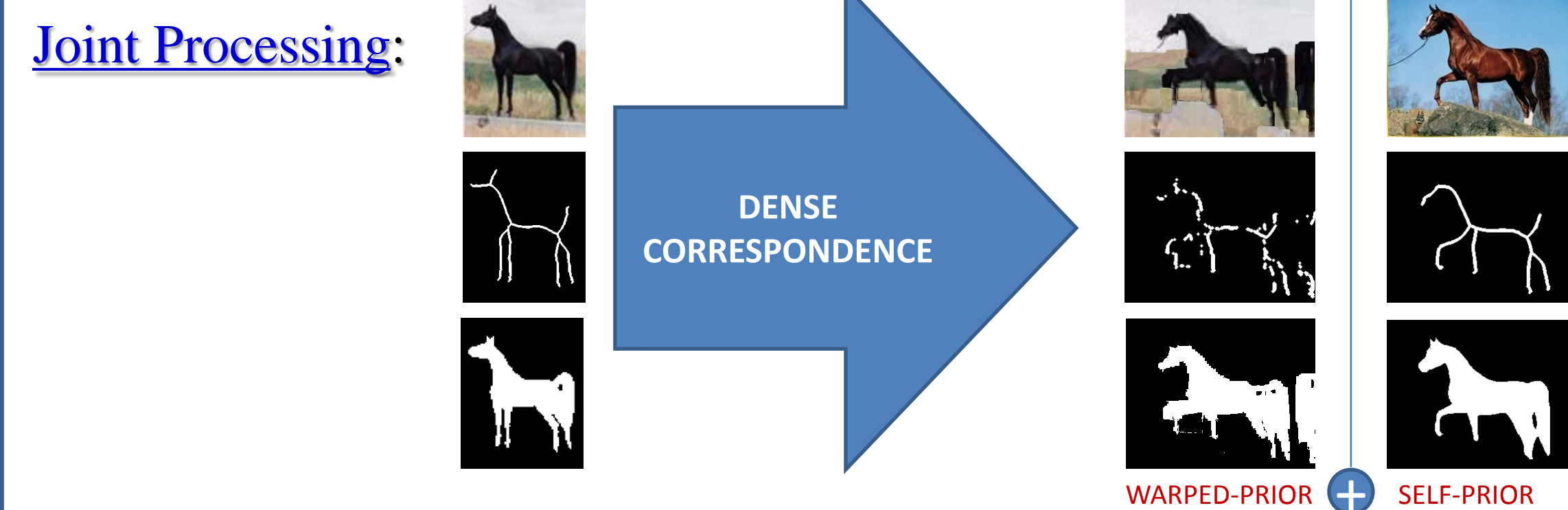
**Challenges:**

- EXISTING** Sensitive to Unsmooth Segmentations
- PREFERRED** Placed on Homogeneous Regions

**This Paper:** Leveraging existing co-segmentation idea to help perform co-skeletonization such that both the tasks help each other synergistically. Segmentation provides the required shape information for skeletonization, and skeletonization provides the required scribble information for segmentation.



## Proposed Method



**References:**

- [15] Grabcut: Interactive foreground extraction using iterated graph cuts, TOG'04.
- [21] Skeleton pruning as trade-off between skeleton simplicity and reconstruction error, SCIS'13.
- [8] Detecting curved symmetric parts using a deformable disc model, ICCV'13.
- [9] Multiscale symmetric part detection and grouping, ICCV'09.
- [23] Multiscale centerline detection by learning a scale-space distance transform, CVPR'14.
- [25] Learning-based symmetry detection in natural images, ECCV'12.
- [26] Local symmetry detection in natural images using a particle filtering approach, TIP'14.
- [29] Accurate centerline detection and line width estimation of thick lines using the radon transform, TIP'07

## Formulation

$$\min_{K_i, O_i} \lambda \psi_{pr}(K_i, O_i | \mathcal{N}_i) + \psi_{in}(K_i, O_i | I_i) + \psi_{sm}(K_i, O_i | I_i) \quad (1)$$

$$s.t. K_i \subseteq \text{ma}(O_i)$$

### Skeleton Pruning Problem

$$\min_{K_i} \lambda \psi_{pr}^k(K_i | \mathcal{N}_i) + \psi_{in}^k(K_i | O_i) + \psi_{sm}^k(K_i) \quad (2)$$

$$s.t. K_i \subseteq \text{ma}(O_i). \quad \text{For Co-skeletonization}$$

### Interactive Segmentation Problem

$$\min_{O_i} \lambda \psi_{pr}^o(O_i | \mathcal{N}_i) + \psi_{in}^o(O_i | K_i, I_i) + \psi_{sm}^o(O_i | I_i). \quad (3)$$

For Co-segmentation

### Algorithm 1: Our approach for solving (1)

**Data:** An image set  $\mathcal{I}$  containing images of the same category

**Result:** Sets  $\mathcal{O}$  and  $\mathcal{K}$  containing segmentations and skeletons of images in  $\mathcal{I}$

**Initialization:**  $\forall I_i \in \mathcal{I}, O_i^{(0)} = \text{Otsu thresholded saliency map and } K_i^{(0)} = \text{ma}(O_i^{(0)})$ ;

**Process:**  $\forall I_i \in \mathcal{I}$ ,

do

- 1) Obtain  $O_i^{(t+1)}$  by solving (3) using [15] with  $\mathcal{O}^{(t)}$  and  $K_i^{(t)}$ .
- 2) Obtain  $K_i^{(t+1)}$  by solving (2) using [21] with  $\mathcal{K}^{(t)}$  and  $O_i^{(t+1)}$ , s.t.  $K_i^{(t+1)} \in \text{ma}(O_i^{(t+1)})$ .

while

$$(\lambda \psi_{pr} + \psi_{in} + \psi_{sm})^{(t+1)} \leq (\lambda \psi_{pr} + \psi_{in} + \psi_{sm})^{(t)};$$

$$\mathcal{O} \leftarrow \mathcal{O}^{(t)} \text{ and } \mathcal{K} \leftarrow \mathcal{K}^{(t)}$$

## Experimental Results

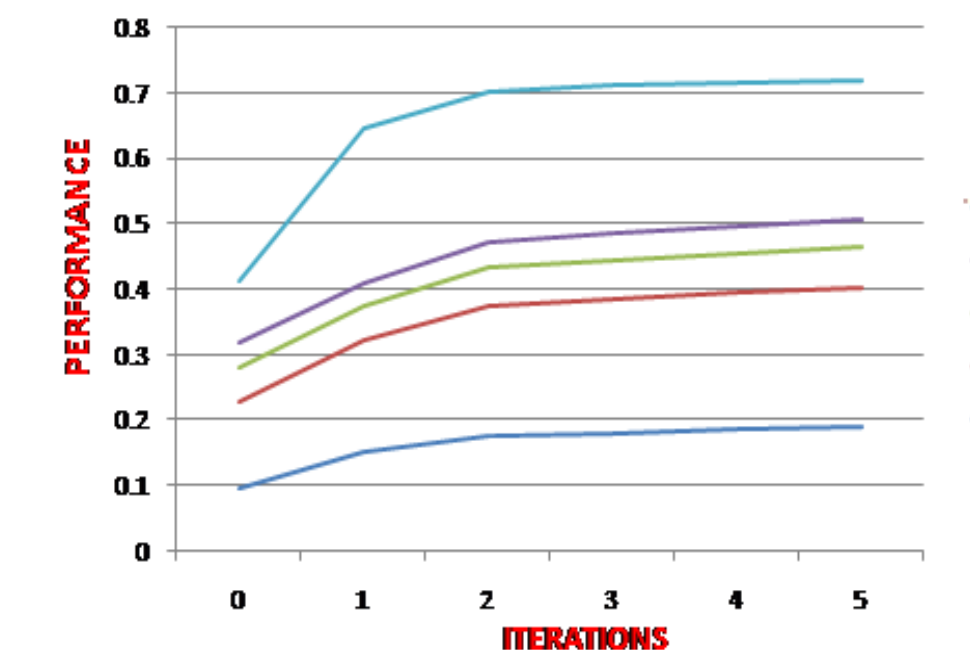


Method	$F^0$	$F^1$	$F^2$	$F^3$	$J$
Ours <sup>(0)</sup>	0.095	0.229	0.282	0.319	0.412
Ours (w/o $\psi_{in}$ )	0.168	0.337	0.391	0.434	0.649
Ours	<b>0.189</b>	<b>0.405</b>	<b>0.464</b>	<b>0.506</b>	<b>0.721</b>

### Smoothness Modification

[21] : small number of skeleton pixels  
Ours: small numbered big skeleton branches

Our New Dataset: CO-SKEL



Methods	WH-SYMMAX	SK506
[9] Traditional ML	0.174	0.218
[8]	0.223	0.252
[26]	0.334	0.226
[23]	0.103	-
[25]	0.365	0.392
[29]	0.402	-
Ours <sup>(0)</sup>	0.322	0.261
Ours	0.530	0.483
Ours (S)	<b>0.594</b>	<b>0.523</b>

