

# CaO<sub>2</sub>: Rectifying Inconsistencies in Diffusion-Based Dataset Distillation

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#### **Abstract**

The recent introduction of diffusion models in dataset distillation has shown promising potential in creating compact surrogate datasets for large, high-resolution target datasets, offering improved efficiency and performance over traditional bi-level/uni-level optimization methods. However, current diffusion-based dataset distillation approaches overlook the evaluation process and exhibit two critical inconsistencies in the distillation process: (1) Objective Inconsistency, where the distillation process diverges from the evaluation objective, and (2) Condition Inconsistency, leading to mismatches between generated images and their corresponding conditions. To resolve these issues, we introduce Condition-aware Optimization with Objective-guided Sampling ( $CaO_2$ ), a two-stage diffusion-based framework that aligns the distillation process with the evaluation objective. The first stage employs a probability-informed sample selection pipeline, while the second stage refines the corresponding latent representations to improve conditional likelihood. CaO2 achieves state-of-the-art performance on ImageNet and its subsets, surpassing the best-performing baselines by an average of 2.3% accuracy. Code is available at https://github.com/ hatchetProject/CaO2.

## 1. Introduction

The rapid expansion of data scale has significantly advanced the development of machine learning, but has also placed substantial demands on the storage capacity and computational resources. To accelerate training and reduce storage requirements while maintaining comparable performance, dataset distillation (DD) [2, 38, 42, 46, 47] was introduced to construct a compact surrogate dataset that captures the most critical information from a large target dataset. Conventionally, dataset distillation was formulated as a bilevel/uni-level optimization problem, designed to match the training dynamics between a teacher model trained on

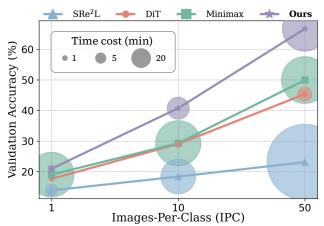


Figure 1. Comparison of validation accuracy and distillation time for different methods under different IPCs on Image-Woof. Our two-stage method is more efficient and can obtain better performance compared with other SOTA approaches.

the target dataset and a student model trained on the synthetic dataset [10, 24, 36, 41]. However, these matching-based methods either struggle to scale up to larger, higher-resolution datasets, or suffer from low performance.

Recently, diffusion-based dataset distillation [9, 33] emerged as a new paradigm for efficient data condensation. These methods utilize pre-trained diffusion models [28, 29] as strong distribution learners to filter noisy representations and retain the most important ones [3]. Therefore, their generated images are strong representations of the original target data distribution. As shown in Fig. 1, directly using randomly sampled images from the Diffusion Transformer (DiT) [28] for evaluation already outperforms the uni-level optimization method SRe<sup>2</sup>L [41] by a significant margin, both in performance and distillation time. Moreover, unlike matching-based methods that rely on an additional student model and output unreadable images, diffusion-based methods are independent of the student model and produce realistic images. This enables the synthetic dataset to be seamlessly used for other tasks, such as neural architecture search [23] and continual learning [25].

These compelling advantages, nevertheless, come at the cost of achieving optimal performance. We observe that

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current diffusion-based DD methods [9, 33] overlook the evaluation objective that assesses the discriminative properties of the distilled images. Instead, they focus exclusively on enhancing the fidelity of generated images, either through diffusion model training [9] or latent embedding clustering [33] (as shown in Fig. 2(a)). Such an oversight may lead to inappropriately designed distillation objectives, ultimately resulting in suboptimal evaluation accuracy.

However, incorporating the evaluation objective into the distillation process is not trivial, as diffusion models are not designed for classification tasks. Rather than directly integrating the evaluation objective, we aim to address two key inconsistencies related to it. The first is Objective Inconsistency, referring to the misalignment between the objective of the generative diffusion model and that of the evaluation model. As shown in Fig. 2(a), matching-based methods [2, 16, 44] constrain the distilled dataset to be optimized with the same objective of image classification as in the evaluation phase. In contrast, current diffusion-based methods generate the distilled dataset without any classification supervision. The second is Condition Inconsistency, stemming from the limitations of the applied conditional diffusion models themselves. In practice, diffusion models are not perfectly trained where the conditional likelihood for every generated sample is not maximized. Consequently, the obtained image-label pairs are suboptimal, which adversely impacts the training process during evaluation.

Having revealed the inconsistencies, we alleviate them by proposing a two-stage framework named Conditionaware Optimization with Objective-guided Sampling (CaO<sub>2</sub>). As illustrated in Fig. 2(b), the first stage generates an image pool and sample from it class-wisely. By using a pre-trained lightweight classifier, we ensure that only samples confidently classified as belonging to their conditioned class are selected, thereby easing Objective Inconsistency. In the second stage, the chosen image latent is perturbed with random noise and optimized while keeping the diffusion model fixed under a task-dependent condition. The optimization objective aims to maximize the conditional likelihood of the image with respect to its condition, thereby reducing Condition Inconsistency. Our approach achieves state-of-the-art performance with better efficiency on ImageNet and its subsets. We also show that apart from pretrained diffusion models, our method can be applied to finetuned models [9] and autoregressive models [19].

In summary, we make the following contributions:

- We observe that current diffusion-based dataset distillation methods overlook the evaluation process, leading to two inconsistencies in the distillation process Objective Inconsistency and Condition Inconsistency that hinder effective data condensation.
- To mitigate the inconsistencies, we propose CaO<sub>2</sub>, a twostage framework enabling efficient distillation with im-

- proved performance. Our framework can be applied to different model backbones, including Diffusion Transformers and autoregressive generation models such as MAR. It can also be used as a plug-and-play module for existing diffusion-based dataset distillation methods.
- Empirical results indicate that CaO<sub>2</sub> achieves state-ofthe-art performance on ImageNet and its subsets, outperforming other methods by an average of 2.3% accuracy.

#### 2. Related Works

#### 2.1. Matching-based Dataset Distillation

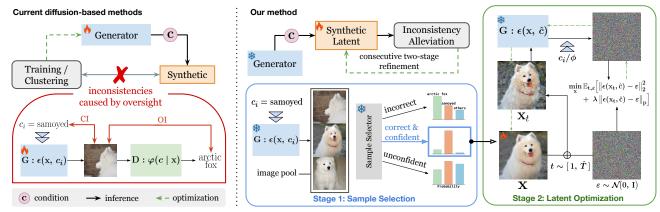
Initial works have formulated the dataset distillation problem as a bi-level optimization task, aiming to match the training characteristics of the synthetic dataset with those of the target dataset, such as gradients [16, 24, 44], feature distributions [36, 43, 45], and training trajectories [2, 6, 8, 10]. However, the bi-level distillation objective introduces large computational costs, making it impractical to generalize to large-scale datasets such as ImageNet. Even for a small dataset such as CIFAR-100, adopting the efficient matching-based method TESLA [6] to distill a subset with IPC=10 can take nearly 20 hours.

To scale efficiency, SRe<sup>2</sup>L [41] and its subsequent works [31, 32, 40, 48] adopted a uni-level optimization framework. They first synthesize images by matching model outputs and Batch Norm statistics using a well-trained teacher model, then generate multiple soft labels for the distilled images. Though efficiency is improved, their performance is limited due to the inadequate matching objective and the separate processes for image and label synthesis.

#### 2.2. Diffusion-based Dataset Distillation

An emerging line of research [5, 9, 33] utilizes pre-trained generative models for dataset distillation. GLaD [3], as a pioneering work, argues that images distilled into the latent space are less noisy and have clearer visual structures than the images in pixel space, and uses generative models for producing deep priors to integrate with matchingbased methods. Minimax Diffusion [9] instead fully utilizes pre-trained diffusion models for generating realistic synthetic datasets. It finetunes the diffusion model with a minimax criterion to enhance sample representativeness and diversity. D<sup>4</sup>M [33] uses pre-trained text-to-image diffusion models and adopts prototype learning to learn cluster centers for each category. These diffusion-based dataset distillation methods achieved the new state-of-the-art performance on large-scale datasets such as ImageNet, significantly outperforming the current matching-based methods in both efficiency and performance.

However, the distillation process in current diffusionbased dataset distillation methods is independent of the evaluation objective, with limited attention to the con-



(a) Previous diffusion-based methods

(b) Illustration of our two-stage framework

Figure 2. Comparison and illustration of previous diffusion-based methods and our approach. (a) Current diffusion-based methods facilitate efficient distillation using a conditional diffusion model G. However, their proposed distillation processes overlook the evaluation objective, resulting in Objective Inconsistency (OI) between distillation and evaluation, as well as Condition Inconsistency (CI) between the input condition and the generated image. (b) To alleviate the inconsistencies, we propose a two-stage framework: Stage 1 mitigates OI by generating an image pool and selecting more discriminative samples through a lightweight sample selector. Stage 2 refines the selected image latents using Eq. (4) and Eq. (5), reducing CI by maximizing the conditional likelihood of the generated samples. By avoiding training of the generative backbone, our method is efficient and applicable across different generative models.

straints posed by the small number of samples in the synthetic dataset. To address this discrepancy, our method introduces a two-stage framework incorporating sample selection and latent optimization, designed to achieve a more precise and consistent distillation process.

# 3. Methodology

# 3.1. Preliminary

For a conditional diffusion model with parameter  $\theta$ , the process of generating a sample  $\mathbf{x}_0$  adheres to a specific Markov chain structure:

$$p_{\theta}(\mathbf{x}_0|\mathbf{c}) = \int_{\mathbf{x}_{1:T}} p(\mathbf{x}_T) \prod_{t=1}^{T} p_{\theta}(\mathbf{x}_{t-1}|\mathbf{x}_t, \mathbf{c}) \, d\mathbf{x}_{1:T}, \quad (1)$$

where  $\mathbf{c}$  is the input condition, T is the number of denoising steps, and  $p(\mathbf{x}_T)$  is the standard normal distribution. Directly maximizing the conditional likelihood  $p_{\theta}(\mathbf{x}_0|\mathbf{c})$  is impractical, thus diffusion models instead learn to optimize the variational lower bound (ELBO) on log-likelihood:

$$\log p_{\theta}(\mathbf{x}_0|\mathbf{c}) \ge -\mathbb{E}_{t,\varepsilon}[\|\varepsilon - \epsilon_{\theta}(\mathbf{x}_t, \mathbf{c}, t)\|^2]. \tag{2}$$

Given the objective of likelihood maximization, an optimal diffusion model is expected to provide accurate density estimation for each class over the entire training data distribution. This implies that diffusion models are inherently strong classifiers [4, 18], and can efficiently generate samples that represent the underlying data distribution well.

However, the effectiveness of current diffusion-based methods is limited by the misalignment between the distillation and evaluation process. In Sec. 3.2 and 3.3, we analyze two types of inconsistencies and address each to improve distillation performance. Motivated by bi-level optimization approaches, we introduce task-oriented variations in Sec. 3.4 for better method adaptation. Finally, in Sec. 3.5, we demonstrate how our method can be extended to utilize the masked autoregressive generation model.

#### 3.2. Objective-guided Sample Selection

A conditional diffusion model takes a class condition  $c_i$  as input to generate realistic images  $x_0$  from sampled noises. Assume the conditional diffusion model is trained perfectly with accurate density estimations so that  $p_{\theta}(\mathbf{x}_0|c_i)$  is maximized. Then by applying Bayes' theorem as  $p_{\theta}(c_i|\mathbf{x}_0) \propto$  $p_{\theta}(\mathbf{x}_0|c_i)p(c_i)$ , we can conclude that the conditional probability  $p_{\theta}(c_i|\mathbf{x}_0)$  is also maximized. However, this equivalence in likelihood maximization holds only for diffusion classifiers [18] with the objective in Eq. (2), and there is no guarantee that for a typical discriminative model  $\varphi$  with a classification objective,  $p_{\omega}(c_i|\mathbf{x}_0)$  can be maximized concurrently. Furthermore, [18] empirically demonstrated that, even when the discriminative model is trained on a synthetic dataset of equivalent size to the full training set, the diffusion classifier still surpasses the discriminative model by 4.8% in accuracy on ImageNet.

Moreover, randomness in noise initialization and sampling can produce low-quality, unrepresentative images, occasionally generating samples that are unhelpful for training or even poisonous. This issue is especially pronounced in low IPC settings, where each sample constitutes a significant portion of the dataset and is crucial for effective training. Therefore, we reveal the **Objective Inconsistency (OI)** 

in diffusion-based dataset distillation, defined as:

**Definition 1.** Let  $c_i$  denote the input condition,  $\{\mathbf{x}_0^{i,k}\}_{k=1}^N$  represent the set of N images generated according to condition  $c_i$ , and  $\{c^k\}_{k=1}^N$  denote the corresponding set of hard labels predicted by a trained classifier. Objective Inconsistency arises when there are mismatches between the input condition and the output label, i.e.,  $\exists k$ , such that  $c_i \neq c^k$ .

The Objective Inconsistency illustrates the discrepancy between the objectives of the distillation and evaluation stages in diffusion-based dataset distillation. It implies that some generated images, when used for classification, will be classified to belong to a different class than their conditioned label, impacting the correctness and fidelity of the distilled dataset. To alleviate this issue, we introduce a simple yet effective **sample selection** strategy based on classification probability to improve distillation performance. As shown in Fig. 2(b), while conventional methods directly generate the compact dataset, we adopt a post hoc approach by introducing a lightweight classifier to determine better samples for learning with the classification objective.

Specifically, to distill samples for a single class with a given IPC, we first generate an image pool of size  $m \times m$ IPC using a pre-trained diffusion model conditioned on that class, where m is a scaling factor. Next, we use a lightweight pre-trained classifier (e.g., ResNet-18) to obtain predictive probabilities for each generated image, selecting only those samples predicted to belong to the conditioned class. Building on insights from [20], which suggests prioritizing easier samples under lower IPC settings and harder samples for higher IPC settings, we further refine our selection by choosing the top-IPC most or least confident samples from the correct predictions. For classes lacking sufficient correct samples, we supplement the distilled dataset by randomly selecting from the remaining images. Additionally, we observe that using small scaling factors, such as m = 2 or m = 4, typically suffices to achieve strong performance, underscoring the efficiency of our strategy.

## 3.3. Condition-aware Latent Optimization

A good compact dataset expects each training image accurately reflecting its corresponding label. However, empirical diffusion models often fail to provide fully accurate density estimates of  $p_{\theta}(\mathbf{x}_0|\mathbf{c})$  for all conditions, primarily due to the errors in approximating the ELBO and the presence of the non-zero diffusion training loss. Consequently, even after sample selection, the generated samples remain sub-optimal for conditional likelihood maximization when using hard labels as input conditions. We define this inherent discrepancy between the input condition and the output likelihood as the **Condition Inconsistency** (CI):

**Definition 2.** Let  $\mathbf{x}_0^i$  represent the generated image latent conditioned on class  $c_i$ ,  $p_{\theta}(\mathbf{x}_0|\mathbf{c})$  be the conditional likeli-

hood of the empirical diffusion model. Condition Inconsistency indicates that  $\forall i, \exists j \neq i \text{ such that } p_{\theta}(\mathbf{x}_0^i|c_j) > 0.$ 

This definition implies that the image latent generated by an empirical diffusion model is not exclusively associated with its specified condition, thereby weakening the correlation between the sample and its label in the distilled dataset. Since a diffusion model with a lower diffusion loss approximates the conditional likelihood more accurately, one straightforward approach to alleviate Condition Inconsistency is to learn a well-trained diffusion model for each class. However, this solution is computationally prohibitive and impractical given the limited amount of samples and the large number of existing conditions.

Instead of optimizing the model itself, we propose to update the generated images through **latent optimization**. By minimizing the diffusion loss with respect to the input  $\mathbf{x}$ , we allow the input to shift toward regions where the pre-trained diffusion model yields more accurate density estimates. Therefore, given the input Gaussian noise  $\varepsilon \sim \mathcal{N}(\mathbf{0}, \mathbf{I})$ , input condition  $\hat{\mathbf{c}}$  and the noisy input at time step t, the optimization objective is formulated as:

$$\min_{\mathbf{x}} \mathbb{E}_{t,\varepsilon} \left[ \| \epsilon_{\theta}(\mathbf{x}_{t}, \hat{\mathbf{c}}, t) - \varepsilon \|_{2}^{2} \right], \text{s.t. } \mathbf{x}_{t} = \sqrt{\overline{\alpha}_{t}} \mathbf{x} + \sqrt{1 - \overline{\alpha}_{t}} \varepsilon.$$
(3)

 $\overline{\alpha}_t$  is a constant with respect to t, and t is randomly sampled from  $[1, \hat{T}]$ , where  $\hat{T} \ll T$ . This suggests that the latent is only moderately perturbed. However, solely using the above objective may lead to optimized samples  $\overline{\mathbf{x}}$  falling into regions associated with other classes [4]. To constrain the degree of update, we use the max norm as additional regularization such that  $\|\overline{\mathbf{x}} - \mathbf{x}\|_{\infty} \leq \eta$ . Thus, the final optimization objective is:

$$\min_{\mathbf{x}} \mathbb{E}_{t,\varepsilon} \left[ \| \epsilon_{\theta}(\mathbf{x}_{t}, \hat{\mathbf{c}}, t) - \varepsilon \|_{2}^{2} + \lambda \| \epsilon_{\theta}(\mathbf{x}_{t}, \hat{\mathbf{c}}, t) - \varepsilon \|_{\infty} \right],$$
(4)

where  $\lambda$  controls the strength of regularization. Note that the above is conducted in the latent space and, for the sake of simplicity, we refrain from introducing new notations to distinguish between the image and its latent.

## 3.4. Task-oriented Variation

When computationally feasible, bi-level optimization methods exhibit strong performance [10, 37], primarily because aligning the learning objectives during distillation and evaluation naturally removes the need to redesign learning strategies. In contrast, non-matching-based methods enforce a strict separation between these two processes, preventing distillation-stage settings from benefiting the evaluation process. This discrepancy motivates us to refine the proposed two-stage approach with task-oriented designs.

Inspired by [1], we use the size of the distilled dataset as an evidence during the sample selection stage. Since training benefits from progressively learning more difficult samples, we propose emphasizing easier samples when training on more challenging tasks, while prioritizing harder samples for simpler tasks. Consequently, we select correct and highly confident samples in lower IPC settings, and correct but less confident samples in higher IPC settings.

```
Algorithm 1: Pseudocode for CaO<sub>2</sub>
   Input: Pre-trained diffusion model \epsilon(\mathbf{x}, \mathbf{c}), sample
     selector s(\mathbf{c}|\mathbf{x}), target category set \mathbb{C}, IPC=N
   Initialize: Distilled dataset S = \{\}, scaling factor
     m, optimization condition \hat{\mathbf{c}}
1 for c \in \mathbb{C} do
         // Sample Selection
         Obtain image pool \mathcal{X} of size mN from \epsilon(\mathbf{x}, c, t)
2
         Calculate probabilities \mathcal{P} = \operatorname{softmax}(s(\mathbf{c}|\mathcal{X}))
3
         Select the top-N correct and least/most
4
           confident samples \mathcal{X}_N from \mathcal{X} using \mathcal{P}
         // Latent Optimization
         Sample a random Gaussian noise \varepsilon \sim \mathcal{N}(0, \mathbf{I})
5
         for \mathbf{x} \in \mathcal{X}_N do
6
              for each iteration do
7
                    Sample a random time step t
8
                    Obtain \mathbf{x}_t = \sqrt{\overline{\alpha}_t}\mathbf{x} + \sqrt{1 - \overline{\alpha}_t}\varepsilon
                    Update x using Eq. (4), Eq. (5)
10
              end
              \mathcal{S} = \mathcal{S} \cup \{(\mathbf{x}, c)\}
11
         end
   end
   Output: Distilled dataset S
```

In the latent optimization stage, we examine the varying modeling quality across categories in diffusion models, and propose choosing different values for the input condition  $\hat{\mathbf{c}}$ . This approach is motivated by the fact that  $\hat{\mathbf{c}}$  carries class-specific information that is inherently discriminative. For the set of classes  $\mathbb{C}_e$  in an easier task and the set of classes  $\mathbb{C}_h$  in a harder task, different values are considered:

$$\hat{\mathbf{c}} = c \cdot 1(c \in \mathbb{C}_e) + \phi \cdot 1(c \in \mathbb{C}_h)$$
 (5)

where c is the true class label used for generating the latent,  $\phi$  is the unconditional label used for classifier-free guidance and  $1(\cdot)$  is the indicator function. For relatively easier tasks, we assume the input conditions can effectively provide discriminative information, and thus the true labels are used for guidance during optimization. For harder tasks, the guidance provided by the conditions may be insufficient or even detrimental, and thus classifier-free guidance is adopted. In this case,  $\epsilon_{\theta}$  is treated as a well-trained single-step denoiser. We utilize it so that, even without conditional guidance, the latent is optimized to approximate the result achieved with conditional guidance, implying that conditional information is embedded within the image latent.

During implementation, we examine the validation accuracy of each classification task to determine the task difficulty and the specific strategy to be used. The complete procedure of our algorithm is depicted in Algorithm 1.

#### 3.5. Extending the Generation Backbone

Apart from conventional diffusion models, the Masked Autoregressive model (MAR) [19] has recently been proposed to reinvent autoregressive image generation. MAR utilizes an autoregressive procedure to predict image patches, with a diffusion loss guiding the training process. Motivated by the similarity in the learning objective, we show that apart from conventional diffusion models, our method can also be seamlessly applied to MAR for effective dataset distillation.

While the sample selection stage remains similar, there are two major differences in the latent optimization stage compared with the diffusion model backbone. One is that instead of adding random Gaussian noises to the image latent with respect to the time step, we apply random masks on the latents with a maximum token masking ratio. The other difference is that MAR did not design a specific embedding for the classifier-free guidance, thus we replace  $\phi$  with a self-designed zero label embedding for Eq. (5). The optimization objective can thus be formulated as:

$$\min_{\mathbf{x}} \mathbb{E}_{\mathbf{m},\varepsilon} \left[ \| \epsilon_{\theta}(\mathbf{x}_{\mathbf{m}}, \hat{\mathbf{c}}) - \varepsilon \|_{2}^{2} + \lambda \| \epsilon_{\theta}(\mathbf{x}_{\mathbf{m}}, \hat{\mathbf{c}}) - \varepsilon \|_{p} \right], (6)$$

where  $\mathbf{m} \sim \mathcal{M}(0, \mathbf{R})$  is a randomly sampled mask with a maximum masking ratio of  $\mathbf{R}$ ,  $\mathbf{x_m}$  is obtained by randomly masking  $|\mathbf{m}|$  tokens from  $\mathbf{x}$ . The workflow of our MAR-based approach is illustrated in Appendix 6.

## 4. Experiments

In this section, we clarify the experiment settings and the implementation details, perform comparisons with state-of-the-art methods and diffusion-based methods, and provide extensive ablation studies for discussion and analysis.

#### 4.1. Experimental Settings

**Dataset and Evaluation Settings.** For the goal of more practical and realistic application, we experiment on ImageNet [7] and its subsets, including ImageWoof [15], ImageNette [14] and ImageNet-100 [30]. ImageWoof is a challenging subset containing 10 different dog breeds, while ImageNette is a simpler subset with 10 easily distinguishable categories. ImageNet-100 includes 100 randomly selected classes from the broader ImageNet. Aiming at higher compression ratios with generalizability, we adopt three imagesper-class (IPC) settings of 1, 10, and 50 for each dataset.

Currently, two evaluation paradigms exist for distilled dataset assessment: one based on hard labels [9] and the other on soft labels via knowledge distillation [34]. While

Settings	IPC	ImageWoof				ImageNette			
		SRe <sup>2</sup> L	Minimax	RDED	Ours	SRe <sup>2</sup> L	Minimax	RDED	Ours
ResNet-18	1	$13.3 \pm 0.5$	$19.9 \pm 0.2$	$20.8 \pm 1.2$	$\textbf{21.1} \pm \textbf{0.6}$	$19.1 \pm 1.1$	$31.8 \pm 0.6$	$35.8 \pm 1.0$	$\textbf{40.6} \pm \textbf{0.6}$
	10	$20.2 \pm 0.2$	$40.1 \pm 1.0$	$38.5 \pm 2.1$	$\textbf{45.6} \pm \textbf{1.4}$	$29.4 \pm 3.0$	$61.4 \pm 0.7$	$61.4 \pm 0.4$	$\textbf{65.0} \pm \textbf{0.7}$
	50	$23.3 \pm 0.3$	$67.0\pm1.8$	$68.5 \pm 0.7$	$\textbf{68.9} \pm \textbf{1.1}$	$40.9 \pm 0.3$	$84.1\pm0.2$	$80.4 \pm 0.4$	$\textbf{84.5} \pm \textbf{0.6}$
ResNet-50	1	$14.9 \pm 0.6$	$19.5 \pm 0.6$	$14.5 \pm 1.2$	$\textbf{20.6} \pm \textbf{1.6}$	$17.5 \pm 3.4$	$27.9 \pm 0.2$	$32.3 \pm 0.8$	$\textbf{33.5} \pm \textbf{2.1}$
	10	$17.3 \pm 1.7$	$37.3 \pm 1.1$	$29.9 \pm 2.2$	$\textbf{40.1} \pm \textbf{0.1}$	$49.8 \pm 2.1$	$66.4 \pm 0.4$	$63.9 \pm 0.7$	$\textbf{67.5} \pm \textbf{0.8}$
	50	$24.8 \pm 0.7$	$64.3 \pm 0.9$	$67.8 \pm 0.3$	$\textbf{68.2} \pm \textbf{1.1}$	$71.2 \pm 0.3$	$77.1\pm0.7$	$78.0 \pm 0.4$	$\textbf{82.7} \pm \textbf{0.3}$
ResNet-101	1	$13.4 \pm 0.1$	$17.7 \pm 0.9$	$19.6 \pm 1.8$	$\textbf{21.2} \pm \textbf{1.7}$	$15.8 \pm 0.6$	$24.5 \pm 0.1$	$25.1 \pm 2.7$	$\textbf{32.7} \pm \textbf{2.5}$
	10	$17.7 \pm 0.9$	$34.2\pm1.7$	$31.3\pm1.3$	$\textbf{36.5} \pm \textbf{1.4}$	$23.4 \pm 0.8$	$55.4 \pm 4.5$	$54.0 \pm 0.4$	$\textbf{66.3} \pm \textbf{1.3}$
	50	$21.2 \pm 0.2$	$62.7\pm1.6$	$59.1 \pm 0.7$	$\textbf{63.1} \pm \textbf{1.3}$	$36.5 \pm 0.7$	$77.4 \pm 0.8$	$75.0\pm1.2$	$\textbf{81.7} \pm \textbf{1.0}$

Table 1. **Performance comparison** (%) with the SOTA methods over ImageNet subsets. We adopt the evaluation paradigms from [9] and [34], reporting the higher accuracy achieved between the two. Best results are marked in **bold**.

the latter often yields superior performance, it heavily depends on the expert model's accuracy and may occasionally fail (Appendix 9). To ensure fairness and robustness, we evaluate both approaches and report the best result for each method. The distilled datasets are tested across various model architectures, including ResNet-18 [11], ResNet-50, ResNet-101, EfficientNet-B0 [35], and MobileNet-V2 [13]. To ensure stability, all experiments are repeated three times. Baselines. We primarily compare our method with other diffusion-based dataset distillation methods and SOTA baselines, including SRe<sup>2</sup>L [41], Minimax Diffusion [9], D<sup>4</sup>M [33] and RDED [34]. We also include comparisons with methods such as G-VBSM [31], EDC [32], IGD [5], DATM [10], and PAD [21] in Appendix 7. SRe<sup>2</sup>L pioneered efficient scaling to ImageNet-1K and outperforms other matching-based methods like MTT [2] and TESLA [6]. Minimax Diffusion and D<sup>4</sup>M utilized pre-trained diffusion models for efficient distillation, with [9] applying a minimax criterion to enhance sample representativeness and diversity, while [33] clusters image latents into category prototypes to incorporate label information. RDED, on the other hand, uses the original training set by selecting and grouping the most informative image crops.

**Implementation Details.** We adopt the pre-trained Diffusion Transformer (DiT) [28] with 256\*256 resolution as the model backbone. Image sampling is performed with 50 denoising steps using a fixed random seed. For the image refinement stage, we adopt the Adam [17] optimizer with a learning rate of 0.0006, set  $\lambda = 10$  for the regularization hyperparameter, and train each image for 100 iterations. During training, we fix the input noise for each image and randomly sample a time step at each iteration. All experiments can be conducted on a single RTX A6000 GPU.

## 4.2. Results and Discussions

We present the comparison of distillation performance in Tab. 1 and Tab. 2. Our method is independent of the evaluation model, allowing us to use the same distilled dataset for

assessments across ResNets of varying depths.

ImageWoof and ImageNette: As two smaller subsets of ImageNet, these tasks capture different aspects of the ImageNet distribution. ImageWoof includes various classes within a single species, testing the representativeness of the distilled dataset. In contrast, ImageNette, an easier dataset with distinct categories, assesses the diversity of the distilled dataset. Tab. 1 demonstrates that on these two datasets, SRe<sup>2</sup>L performs sub-optimally, while Minimax Diffusion achieves results comparable to RDED. Our method surpasses the best baselines, achieving an average accuracy improvement of 1.6% across all settings for ImageWoof and 4.3% for ImageNette.

ImageNet-100 and ImageNet-1K: We further scale up to evaluations on 100 and 1,000 classes, with results shown in Tab. 2. For ImageNet-100, our method achieves an average accuracy improvement of 1.8% across all settings. On ImageNet-1K, we include D<sup>4</sup>M [33] for comparison, using the reported accuracies and assuming zero deviation, as repeated results were not provided in the original paper. Our method consistently outperforms other methods in all settings, yielding an average accuracy improvement of 1.5%.

#### 4.3. Ablation Studies

We conduct extensive ablation studies to evaluate the effectiveness of the different components in our method, and explore the impact of different hyperparameter choices.

Component Analysis. We analyze the effectiveness of each component in our method using ResNet-18 as the model for evaluation. Tab. 3 demonstrates that both components individually improve upon the baseline, and their combination yields even larger performance gains. Furthermore, the comparable accuracy improvements provided by each component indicate their equal importance.

**Selection Protocols.** We first examine the effects of selection pool size and selection strategy. As shown in Fig. 3(b), an optimal pool size for sample selection typically ranges around  $2\times IPC$  or  $4\times IPC$ . Interestingly, selecting from a

Settings	IPC	ImageNet-100				ImageNet-1K				
		SRe <sup>2</sup> L	Minimax	RDED	Ours	SRe <sup>2</sup> L	Minimax	$D^4M$	RDED	Ours
ResNet-18	1	3.0±0.3	7.3±0.1	8.1±0.3	8.8±0.4	0.1±0.1	5.9±0.2	_	6.6±0.2	7.1±0.1
	10	9.5±0.4	$32.0 \pm 1.0$	$36.0 \pm 0.3$	$36.6 {\pm} 0.2$	$21.3\pm0.6$	$44.3 \pm 0.5$	$27.9 \pm 0.0$	$42.0 \pm 0.1$	$46.1 \pm 0.2$
	50	$27.0\pm0.4$	$63.9 \pm 0.1$	$61.6 \pm 0.1$	$68.0{\pm}0.5$	46.8±0.2	$58.6 \pm 0.3$	$55.2 \pm 0.0$	$56.5 \pm 0.1$	$60.0 {\pm} 0.0$
ResNet-50	1	1.5±0.0	$6.8 {\pm} 0.5$	$6.5 \pm 0.3$	$7.3 \pm 0.4$	1.0±0.0	$5.1 \pm 0.5$	-	$5.4 \pm 0.2$	$7.0 \pm 0.4$
	10	$3.4\pm0.1$	$30.8 \pm 0.4$	$29.5 \pm 0.7$	$35.0 \pm 0.6$	$28.4 \pm 0.1$	$49.7 \pm 0.8$	$33.5 \pm 0.0$	$43.6 \pm 0.5$	$53.0 \pm 0.2$
	50	$10.8 \pm 0.3$	$67.4 \pm 0.3$	$68.8 \pm 0.2$	$\textbf{70.1} {\pm} \textbf{0.1}$	55.6±0.3	$64.8 \pm 0.1$	$62.4 \pm 0.0$	$64.6 \pm 0.1$	$65.5 \pm 0.1$
ResNet-101	1	2.1±0.1	$5.4 \pm 0.6$	$6.1 \pm 0.8$	6.6±0.4	$0.6 \pm 0.1$	$4.0 \pm 0.5$	-	$5.9 \pm 0.4$	6.0±0.4
	10	$6.4 \pm 0.1$	$29.2 \pm 1.0$	$33.9 \pm 0.1$	$34.5 \pm 0.4$	$30.9\pm0.1$	$46.9 \pm 1.3$	$34.2 \pm 0.0$	$48.3 \pm 1.0$	$52.2 \pm 1.1$
	50	$25.7 \pm 0.3$	$67.4 \pm 0.6$	$66.0 \pm 0.6$	$70.8 {\pm} 0.2$	$60.8 \pm 0.5$	$65.6 \pm 0.1$	$63.4 \pm 0.0$	$61.2 \pm 0.4$	$66.2 \pm 0.1$

Table 2. **Performance comparison** (%) **over ImageNet-100 and ImageNet-1K.** We adopt the evaluation paradigms from [9] and [34], reporting the higher accuracy achieved. '-' indicates missing results from the original paper. Best results are marked in **bold**.

oss	CLO	Woof IPC=10	Woof IPC=50	Nette IPC=10	Nette IPC=50
-	-	38.7±1.1	$66.1 \pm 0.8$	61.7±1.7	82.0±1.1
<b>✓</b>	-	42.6±1.1	$68.5 \pm 0.9$	63.7±0.6	$83.5 \pm 1.1$
-	/	42.1±1.2	$67.9 \pm 0.8$	64.2±2.1	$83.9 \pm 0.7$
<b>✓</b>	<b>✓</b>	45.6±1.4	$68.7 \pm 0.5$	65.0±0.7	$84.5 \pm 0.6$

Table 3. Accuracy (%) comparison of different components.

larger set of generated samples does not necessarily improve performance. We suspect this is due to two factors: first, while a larger pool provides more diversity, selecting from it may reduce representativeness [9]; second, although our empirical results (as will be discussed later) support the effectiveness of the current selection criterion, it is not guaranteed to consistently identify the optimal samples. Developing more advanced and complex selection protocols may address these issues, but is beyond the scope of this study.

For the selection criterion, we evaluate several strategies: random sampling, EL2N score [27] based selection, selecting only correct samples, selecting correct and more confident samples, and selecting correct but least confident samples. The EL2N score measures sample difficulty via probability output, with lower scores indicating samples that are easier to discriminate. As shown in Fig. 3(c), selecting correct and more confident samples generally yields the best performance across most cases. However, random sampling performs best on ImageNette with 50 IPC, likely because the diffusion model is well-trained on ImageNette classes, preserving both representativeness and diversity. Random selection effectively covers the modeled distribution, whereas probability-based selection protocols may introduce unintended bias into the distilled dataset.

**Input condition comparison.** We further analyze the choice of  $\hat{\mathbf{c}}$  in Eq. (5). In Fig. 3(d), we present the performance difference, calculated as Acc(true) - Acc(NULL), when varying only the conditions used for latent optimization. The results suggest that for more challenging tasks such as ImageWoof and ImageNet-1K, unconditional labels yield better performance, while for easier tasks, such as Im-

$L_p$ norm	None	$L_1$	$L_2$	$L_{\infty}$
ImageWoof (IPC=10) ImageNette (IPC=10)	42.7±0.7	43.4±2.2	44.1±0.7	44.4±0.2
	62.2±1.4	61.3±0.3	62.5±1.0	63.5±0.8

Table 4. Accuracy (%) comparison of different regularization.

ageNette, using true class labels is preferable.

**Effect of regularization.** Lastly, we examine the effect of different regularization forms in Eq. (4). We compare no regularization,  $L_1$ ,  $L_2$ , and  $L_\infty$  norms, tuning the hyperparameter  $\lambda$  from (10,1,0.1,0.01) to achieve the best performance. Tab. 4 presents the results, where using regularization most of the time improves performance and the  $L_\infty$  norm performs the best. We attribute this to the  $L_\infty$  norm's ability to enhance the robustness of generated latent representations, aiding to prevent the learning process from producing outliers or extreme values.

#### 4.4. Cross-Architecture Performance

We evaluate and analyze two types of cross-architecture performances. The first is the conventional comparison between different evaluation models when trained on the same synthetic dataset. Since diffusion-based methods do not rely on the evaluation model during distillation, Tab. 1 and Tab. 2 themselves already show these comparison results, demonstrating the strong cross-architecture ability.

The second type of evaluation involves comparing performance across different combinations of selectors and evaluation models. As shown in Fig. 3(a), the models included from left to right, top to bottom, are ResNet-18, ResNet-50, ResNet-101, EfficientNet-B0, MobileNet-V2, respectively. We observe that using stronger selectors does not consistently improve performance, and the lightweight ResNet-18 is sufficient for achieving good results efficiently. Therefore, we use the pre-trained ResNet-18 as the sample selector in all our experiments.

# 4.5. Visualization Comparison

We visualize obtained samples using the same random seeds in Fig. 4, qualitatively revealing that our method produces more discriminative and visually refined images.

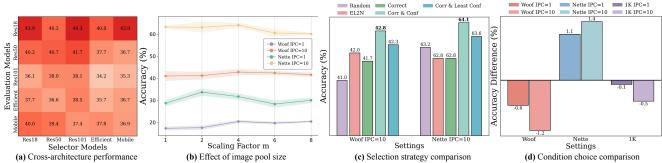


Figure 3. Ablation studies on different components. (a) illustrates the cross-architecture performance for selector and evaluation models, showing that a lightweight ResNet-18 generally leads to better performance in most cases. (b) examines the effect of the scaling factor, showing that a larger pool size is not always optimal. As a result, we adopt a pool size of  $2 \times IPC$  or  $4 \times IPC$ . (c) compares different selection strategies, concluding that prioritizing correct and more confident samples generally leads to better performance. (d) calculates the accuracy difference when applying various conditions for latent optimization, suggesting that true labels should be used for easier class samples, while unconditional labels are more suitable for harder class samples.

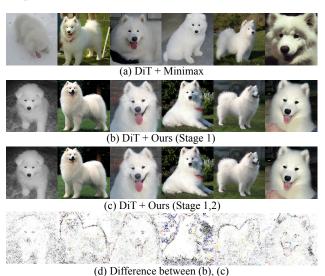


Figure 4. **Visualization of distilled images.** We compare the distilled images from Minimax Diffusion with the two stages of our method, also highlighting the differences introduced by latent optimization, where white color denotes unchanged regions.

Interestingly, latent optimization introduces imperceptible changes to the human eye. By examining the absolute differences between images before and after latent optimization, we find that the optimization primarily refines object boundaries and background details, suggesting that images might be enhanced by emphasized semantic features and improved robustness against adversarial pixels [4]. Appendix 10 provides more visualizations and analysis.

#### 4.6. Extending to Different Backbones

**Integration with MAR.** As discussed in Sec. 3.5, we extend our method to masked autoregressive models [19], using MAR-Base with 32 autoregressive steps and 100 denoising steps per autoregressive step. From a 2×IPC image pool, we select the most confident correct samples. For latent optimization, we apply a 0.25 max masking ratio, train

Method	Woof	Woof	Nette	Nette
	IPC=10	IPC=50	IPC=10	IPC=50
MAR [19]	38.6±0.4	69.1±0.2	68.8±1.8	86.3±0.4
+ CaO <sub>2</sub>	43.9±0.8	<b>70.3</b> ± <b>0.1</b>	<b>71.8</b> ± <b>1.6</b>	<b>87.3</b> ± <b>0.1</b>
Minimax [9]	40.1±1.0	67.0±1.8	61.4±0.7	83.9±0.2
+ CaO <sub>2</sub>	45.7±1.5	<b>70.0</b> ±1.4	64.1±1.8	<b>85.1</b> ±1.0

Table 5. Performance (%) of integration with different backbones.

for 100 steps with a 0.0001 learning rate, and use  $L_{\infty}$  regularization. Tab. 5 shows that MAR alone is a strong baseline on ImageNet subsets, and combining it with our method boosts accuracy by 3.3% on ImageWoof and 2.0% on ImageNette. Visualizations are in Appendix 10.

Integration with Minimax Diffusion. We further integrate our method with Minimax Diffusion [9], a finetuned diffusion transformer that improves sample quality without altering the model architecture. Using a  $2\times IPC$  image pool,  $L_{\infty}$  regularization, and true label guidance (except zero embeddings for ImageWoof at IPC=10), Tab. 5 shows that we further improve the performance with an average improvement of 4.3% on ImageWoof and 2.0% on ImageNette. Visualizations are available in Appendix 10. In summary,  $CaO_2$  serves as an effective plug-and-play module for both diffusion models with diverse training objectives and masked autoregressive models with distinct generation schemes.

## 5. Conclusion

We propose CaO<sub>2</sub>, an efficient two-stage framework for large-scale dataset distillation, addressing two key inconsistencies in diffusion-based dataset distillation: Objective Inconsistency and Condition Inconsistency. Our method achieves state-of-the-art performance on ImageNet and its subsets across various evaluation settings. Additionally, CaO<sub>2</sub> can be seamlessly integrated with different model backbones to enhance distillation performance, showcasing its versatility as a highly effective plug-and-play approach.

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