EEdit : Rethinking the Spatial and Temporal Redundancy for Efficient Image Editing

Supplementary Material

7. Analysis on Hidden States in MM-DiT

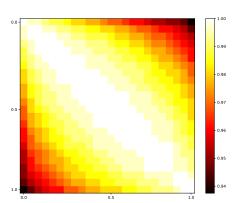


Figure 9. Cross-Attention hidden states similarity

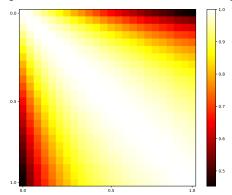


Figure 10. Self-Attention hidden states similarity

As shown in the Figure. 9 and Figure. 10, we visualize the cosine similarity of hidden states across different timesteps in both Cross-Attention and Self-Attention. It can be observed that Cross-Attention exhibits higher similarity, indicating greater redundancy in this module. Consequently, in our approach, Cross-Attention is either fully computed or entirely skipped to optimize efficiency.

8. Algorithm for Image Editing with SLoC

8.1. Cache Frequency Control

Cache Frequency Control can be formulated as

$$\mathcal{S}_{ij}^{\tau+1} \leftarrow \begin{cases} \mathcal{S}_{ij}^{\tau} + \gamma f_{ij}^{\tau} & f_{ij}^{\tau+1} \leftarrow f_{ij}^{\tau} + 1 \\ & \mathcal{S}_{ij}^{\tau} \leq Top_{R\%}(\mathcal{S}^{\tau}[1 \dots L_{WH}]) \\ \\ \mathcal{S}_{ij}^{\tau} & f_{ij}^{\tau+1} \leftarrow 0 \\ & \mathcal{S}_{ij}^{\tau} > Top_{R\%}(\mathcal{S}^{\tau}[1 \dots L_{WH}]) \end{cases}$$

where γ is a scaling factor that controls the impact of reuse frequency on the score map \mathcal{S} . τ indicates current time step and $\tau+1$ indicates next time step. ij indicated index in score map \mathcal{S} and frequency map \mathcal{M}_{freq} . We have $\mathcal{M}_{freq} = \{f_{ij}, i \in [1 \dots L_W], j \in [1 \dots L_H]\}$

8.2. Vanilla SLoC w/o ISS and TIP

Algorithm 2 Image Editing with SLoC

Require: Input image I_s , Mask for editing region M_s , Prompt for editing P_m , Randomly initialized map \mathcal{R} , Bonus for edited region S_E and Cache dict $\mathcal{C}_{l,m}[:]$.

```
Ensure: The edited result I^*
```

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1: \mathcal{M}_{freq} \leftarrow zero[\mathcal{F}_{\mathbf{i}}, \mathbf{t}, \mathbf{l}]
  2: \mathbf{Z}_0 \leftarrow \mathbf{cat}(VQ\text{-Encoder}(\mathbf{I_s}), \mathsf{Txt\text{-Encoder}}(\mathbf{P_m}))
  3: // Image Latent Inversion
  4: for t = 1, ..., T do
                  \mathbf{Z}_t \leftarrow \text{RF-inversion}(\mathbf{Z}_{t-1}, t-1, \phi)
 6: end for
  7: Z_T^* \leftarrow Z_T
  8: // Image Editing Steps with Caching
  9: for t = T, T - 1, \dots L + 1 do
                  for \mathcal{F}_i \leftarrow \mathbf{SA}_l, \mathbf{CA}_l, \mathbf{MLP}_l, l \in [1, \dots \mathcal{L}] do
                           egin{aligned} &\mathcal{S}_{l} \leftarrow (\mathcal{R} \odot \mathbf{S_{E}}) \oplus \mathcal{M}_{freq} \ &\mathcal{I}_{i,l,t} \leftarrow \mathbf{Sel}_{topR\%}(\mathcal{S}_{l}) \ &\mathcal{Z}_{l+1}^{*} \leftarrow \mathbf{scatter}(\mathcal{F}_{i}(Z_{l}^{*}, \mathcal{I}_{i,l,t}), \mathcal{C}_{t+1}[l, \mathcal{F}_{i}]) \ &\mathbf{Update}(\mathcal{C}_{t+1}[l, \mathcal{F}_{i}], \mathcal{M}_{freq}) \end{aligned}
11:
12:
14:
15:
                  \mathbf{Z}_{t-1}^* \leftarrow \mathbf{Z}_{t-1}^* \odot \mathbf{M}_s + \mathbf{Z}_t \odot (1 - \mathbf{M}_s)
16.
18: \mathbf{I}^* \leftarrow VQ\text{-Decoder}(\mathbf{x}_0)
19: return I*
```

9. Discussion on TIP

We adopt Token Index Preprocessing. This design offers an additional advantage by reducing the number of function

Method	FG preservation				Efficiency					Speed Up	
	FID↓	PSNR↑	$\mathbf{MSE}^{\downarrow}_{10^{-3}}$	$\mathbf{SSIM}_{10^{-1}}^{\uparrow}$	Steps	Inv.(s)↓	Fwd.(s)↓	Inference (s)↓	$\overline{FLOPs(T)}$	Latency↑	FLOPs↑
No Cache	-	-	_	-	28	5.44	5.67	11.30	932.95	1 ×	1 ×
50% Step	90.60	24.46	6.66	8.77	14	2.63	2.87	5.69	456.55	$2.04 \times$	$\boldsymbol{1.99} \times$
FORA [50]	39.96	31.62	1.74	9.47	28	2.42	2.45	5.05	318.09	$2.24 \times$	$2.93 \times$
ToCa [76]	84.77	26.16	5.76	8.88	28	3.52	3.52	7.29	332.93	$1.55 \times$	$2.80 \times$
DuCa [77]	84.85	26.16	5.76	8.88	28	3.26	3.26	6.87	313.00	$\boldsymbol{1.67} \times$	$2.98 \times$
SLoC	39.50	31.75	1.72	9.48	28	2.86	2.91	5.96	384.03	1.90×	2.43×
SLoC+TIP+ISS	39.21	31.75	1.71	9.48	28	1.92	2.49	4.60	264.50	2.46 ×	3.53×

Table 4. Ablation study for cache. Comparisons of different cache methods in terms of FG fidelity, and computational efficiency.

calls within the cache module. Specifically, with a preprocessing overhead of no more than 150ms, we achieve a reduction of over 1000ms in cache-induced inference latency. Since the token selection in our algorithm is independent of the internal properties of individual tokens or their mutual interactions, this decoupling is logically equivalent in the temporal sequence. Consequently, it enables further lossless acceleration on top of SLoC.

9.1. Proof of TIP Equivalence with Original Operations

We maintain a cache of intermediate features for a set of tokens in SLoC. At each iteration step, each token is assigned a score based on (i) a random or seed-based component and (ii) a function of its selection frequency (the \mathcal{M}_{freq}). The top R% of tokens are selected for updating the cache. It follows algorithm 2.

We prove that this preprocessing-based approach is mathematically equivalent to performing scoring, sorting, and token selection online at each iteration.

9.2. Notation and Problem Setup

- N: Total number of tokens, indexed as $\{1, 2, \dots, N\}$.
- T: Total number of diffusion iterative steps.
- $s_i^{(t)}$: Score of token i at step t, given by

$$s_i^{(t)} = f(r_i^{(t)}) + \mathcal{M}_{freq,i}^{(t)}$$

- $r_i^{(t)}$: Random (or seed-based) component.
- $\mathcal{M}_{freq,i}^{(t)}$: Frequency of times token i has been selected before step t.
- $f(\cdot)$: A deterministic function adjusting scores, region score bonus adopted in SLoC here.
- After computing $\{s_i^{(t)}\}_{i=1}^N$, the top R% tokens are selected for cache updates.
- For simplicity in our proof, we have omitted the layer index and module type (Cross-Attention, Self-Attention, MLP).

9.3. Original (Online) Algorithm Description

The online method iterates as follows 2:

- $\begin{array}{l} \text{1. For } t=1 \text{ to } T \text{:} \\ \text{(a) Compute } s_i^{(t)} \text{ for each token } i. \end{array}$
 - (b) Sort tokens by $s_i^{(t)}$ and select the top R%. (c) Update the cache for these selected tokens.

 - (d) Increment $\mathcal{M}^{(t+1)}_{freq,i}$ for each selected token i.

Here, $r_i^{(t)}$ is reproducible when using a fixed seed.

9.4. Proposed Optimization (TIP)

The optimized approach precomputes the cache update and selection process 1:

- 1. Generate and iterate all $r_i^{(t)}$ for i = 1, ..., N and t = $1,\ldots,T$.
- 2. Simulate the selection process offline:

 - (a) Initialize $\mathcal{M}_{freq,i}^{(1)}=0$ for all i. (b) For each t=1 to T:

 Compute $s_i^{(t)}=f(r_i^{(t)})+\mathcal{M}_{freq,i}^{(t)}$.

 Sort and select the top R%, recording indices as
 - Update $\mathcal{M}^{(t+1)}_{freq,i}$ for selected tokens.
- 3. Store $\{\mathcal{I}_{top}^{(t)}\}_{t=1}^T$ for later use.

At inference, we read precomputed $\mathcal{I}_{\text{top}}^{(t)}$ instead of recomputing scores.

9.5. Proof of Equivalence

We prove that both methods select identical tokens at each

Step 1 Equivalence. At
$$t=1,$$
 we have $\mathcal{M}_{freq,i}^{(1)}=0,$ so

$$s_i^{(1)} = f(r_i^{(1)}) + 0.$$

Since $r_i^{(1)}$ is identical in both methods (fixed seed), sorting $s_i^{(1)}$ gives the same top R% tokens, ensuring identical updates and increments for $\mathcal{M}_{frea.i.}^{(2)}$

Inductive Hypothesis. Assume for steps k < t that

$$\mathcal{I}_{\mathsf{ton}}^{(k)}(\mathsf{offline}) = \mathcal{I}_{\mathsf{ton}}^{(k)}(\mathsf{online}).$$

Thus, $\mathcal{M}_{freq,i}^{(t)}$ is identical in both methods.

Step t Equivalence. At step t,

$$s_i^{(t)} = f(r_i^{(t)}) + \mathcal{M}_{freq,i}^{(t)}$$

Since $r_i^{(t)}$ and $\mathcal{M}_{freq,i}^{(t)}$ are identical (by induction), we get

$$s_i^{(t)}(\text{offline}) = s_i^{(t)}(\text{online}),$$

ensuring that sorting and selecting the top R% gives identical indices sets:

$$\mathcal{I}_{\text{top}}^{(t)}(\text{offline}) = \mathcal{I}_{\text{top}}^{(t)}(\text{online}).$$

Conclusion by Induction. By induction, token selection and cache updates remain identical for all $t=1,\ldots,T$. Thus, preprocessing achieves the same outcome as the online approach.

10. Implementation Details

The experiments were conducted on a machine with the following hardware and software specifications:

10.1. Hardware Specifications

• Architecture: x86_64

• CPU Op-Modes: 32-bit, 64-bit

• Address Sizes: 52 bits physical, 48 bits virtual

• Byte Order: Little Endian

Total CPU(s): 128
On-line CPU(s) List: 0-127
Vendor ID: AuthenticAMD

• Model Name: AMD EPYC 9K84 96-Core Processor

• CPU Family: 25

10.2. Software Specifications

• Operating System: Ubuntu 22.04.3 LTS

• **Python** 3.12.3

• huggingface-hub: 0.26.2

numpy: 1.26.4torch: 2.5.1

torchmetrics: 1.6.1transformers: 4.46.1

11. Metrics

Our experiments employ a selection of the most widely used image quality, instruction adherence, and efficiency metrics.

Frechet Inception Distance (FID) and Learned Perceptual Image Patch Similarity (LPIPS) are feature-based similarity metrics computed using pretrained neural networks. Lower values indicate higher similarity. We use InceptionV3 for FID and AlexNet for LPIPS measurements. Peak Signal-to-Noise Ratio (PSNR) and Mean Squared Error (MSE) are pixel-space similarity metrics.



Figure 11. A qualitative example. Token index preprocessing shows loss-less acceleration for editing quality.

A higher PSNR and a lower MSE indicate greater image similarity. **CLIPScore** measures how well an image generation or editing result follows a given prompt using a pretrained CLIP model. A higher score indicates stronger adherence to the prompt. In our experiments, we use the clip-vit-base-patch16 model. **FLOPs** quantify the computational cost associated with model inference. A higher value indicates greater computational overhead.

12. More Experiments

Table 5. **Performance comparison**. An ablation study is conducted on imbalanced inversion and denoising for background preservation, foreground fidelity and inference time.

		BG Preservation	FG	Inference ↑			
Inversion	Denoising	LPIPS ↓ ×10 ⁻²	$\overline{\mathbf{LPIPS}^{\downarrow}_{\times 10^{-3}}}$	PSNR ↑	FID↓	Time (s)	
Full Step	Full Step	1.98	-	-	-	13.27	
2-step skip		31.38	1.98	31.93	3.35	10.16	
3-step skip	Full Step	31.38	1.98	25.79	3.23	9.31	
4-step skip		31.38	1.98	26.50	3.31	8.76	
	2-step skip	1.97	50.40	31.93	28.51	11.79	
Full Step	3-step skip	1.97	121.44	25.79	64.10	9.28	
	4-step skip	1.96	102.67	26.50	56.93	8.54	

We compared the edited results in terms of image similarity and efficiency. The Table. 4 demonstrate that our approach, when incorporating all optimizations (TIP + ISS), achieves the best performance in both fidelity and efficiency. SLoC achieves a $2.46\times$ significant improvement in inference latency and a $3.53\times$ acceleration in computational efficiency compared to the original unaccelerated version. Additionally, our method demonstrates either improved fidelity or remains at a state-of-the-art level across various editing tasks.

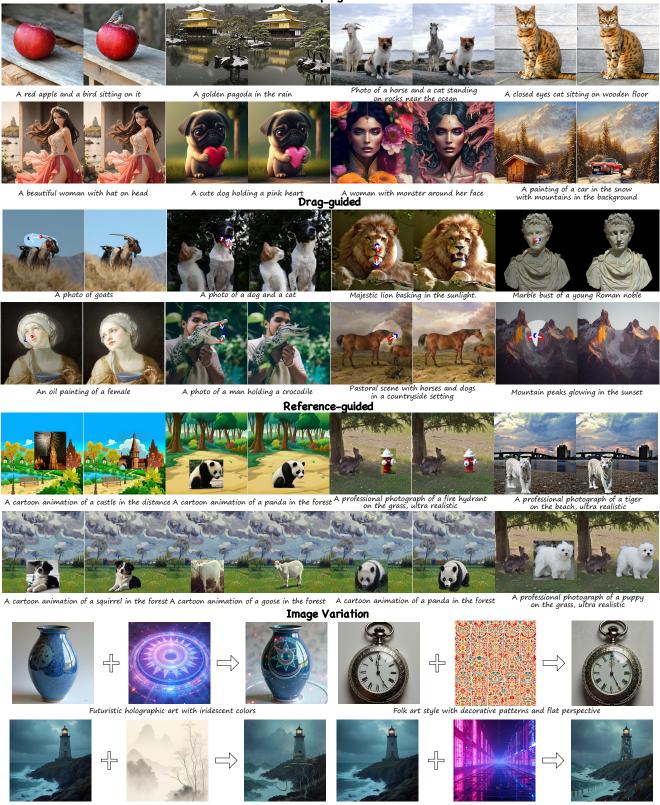
13. Related work

We thanks the related work about editing both image and video, such as VideoGrain [67], FastVAR [15], Int-Lora [14], FollowFamilty [5, 11, 32, 34, 37, 39, 40, 42, 56, 66, 69, 74], Tpsence [72], Pointnorm [71], MotionDiff [41], FastScene [38], DreamRelation [61] and Dreamvideo [60], and Lazymar [65].

14. Gallery

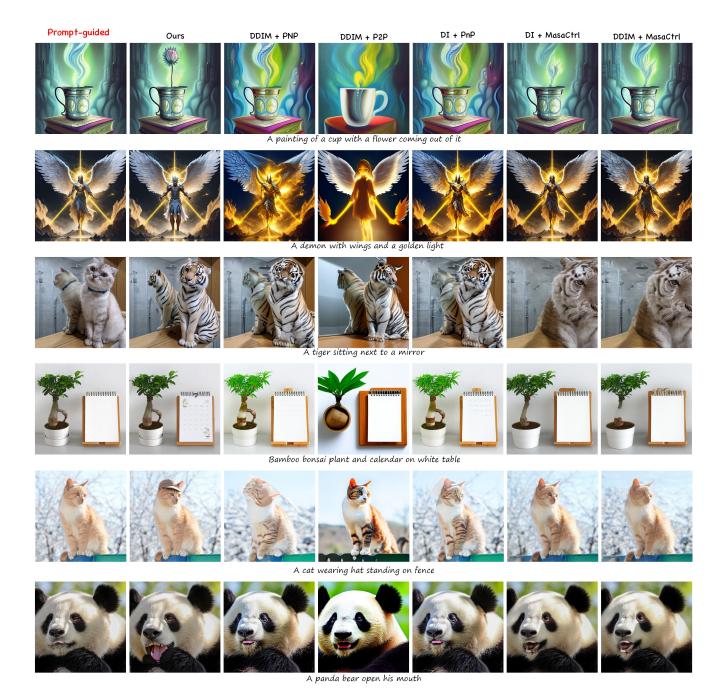
We present additional editing results, including prompt-guided, drag-guided, and reference-guided editing. Furthermore, we adapted the community-developed Redux model for img2img tasks, enabling the generation of impressive image variations.

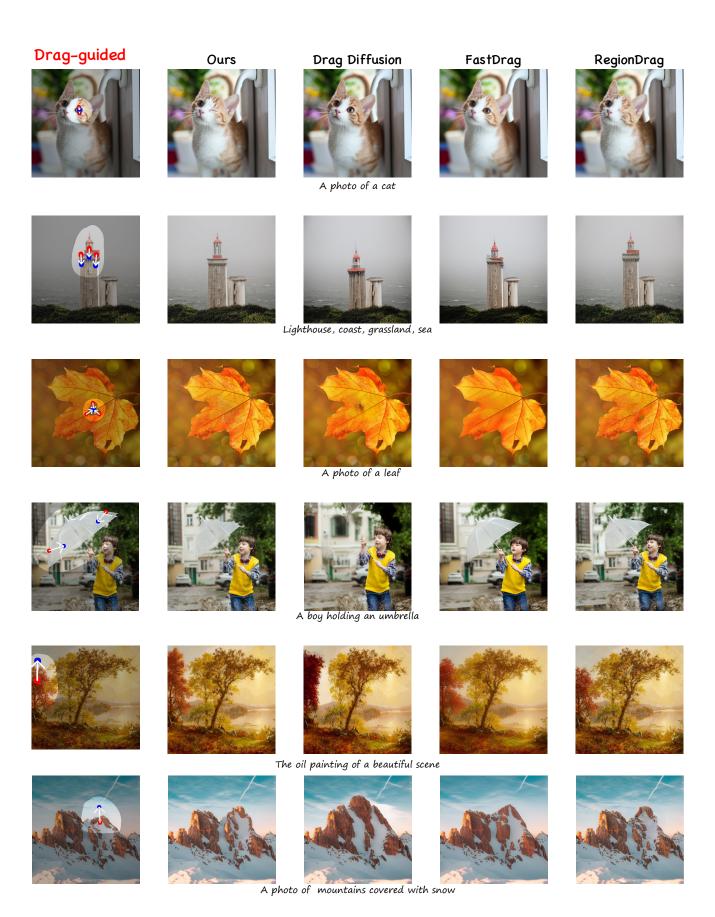
Prompt-guided



Traditional Chinese painting with fine ink brushwork and subtle gradients

Digital art in cyberpunk style with neon colors and high contrast





Reference-guided



























































An oil painting of a hot dog, Van Gogh Style