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# A Visual Active Search Framework for Geospatial Exploration

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### Abstract

Many problems can be viewed as forms of geospatial search aided by aerial imagery, with examples ranging from detecting poaching activity to human trafficking. We model this class of problems in a visual active search (VAS) framework, which has three key inputs: (1) an image of the entire search area, which is subdivided into regions, (2) a local search function, which determines whether a previously unseen object class is present in a given region, and (3) a fixed search budget, which limits the number of times the local search function can be evaluated. The goal is to maximize the number of objects found within the search budget. We propose a reinforcement learning approach for VAS that learns a meta-search policy from a collection of fully annotated search tasks. This meta-search policy is then used to dynamically search for a novel target-object class, leveraging the outcome of any previous queries to determine where to query next. Through extensive experiments on several large-scale satellite imagery datasets, we show that the proposed approach significantly outperforms several strong baselines. We also propose novel domain adaptation techniques that improve the policy at decision time when there is a significant domain gap with the training data. Code is publicly available at this link.

## 1. Introduction

Consider a large national park that hosts endangered animals, which are also in high demand on a black market, creating a major poaching problem. An important strategy in an anti-poaching portfolio is to obtain aerial imagery using drones that helps detect poaching activity, either ongoing, or in the form of traps laid on the ground [1, 2, 3, 9, 8]. The quality of the resulting photographs, however, is generally somewhat poor, making the detection problem extremely difficult. Moreover, park rangers can only inspect relatively few small regions to confirm poaching activity, doing so sequentially. Crucially, inspecting such regions yields *new ground truth* information about poaching activity that we can use to decide which regions to inspect in the future. We can distill some key generalizable structure



Figure 1: A comparison of a greedy search policy (dashed line) with an active search strategy (solid line) for the *small car* target class. The greedy policy is not able to adapt when a car is not found in the starting cell and needlessly searches many similar cells. The active strategy adapts and explores regions with different visual characteristics, eventually finding the objects of interest.

from this scenario: given a broad area image (often with a relatively low resolution), *sequentially query* small areas within it (e.g., by sending park rangers to the associated regions, on the ground), with each query returning the ground truth, to identify as many target objects (e.g., poachers or traps) as possible. The number of queries we can make is typically limited, for example, by budget or resource constraints. Moreover, query results (e.g., detected poaching activity in a particular region) are *highly informative about the locations of target objects in other regions*, for example, due to spatial correlation. We refer to this general modeling framework as *visual active search (VAS)*. Numerous other scenarios share this broad structure, such as identification of drug or human trafficking sites, broad area search-andrescue, identifying landmarks, and many others.

A simple solution to the broad-area search problem is to divide the broad area into many grid cells, train a classifier to predict existence of a target object in each grid cell, and simply explore the top K cells in terms of predicted likelihood of the object being in the cell. We call this the greedy policy, which essentially reduces geospatial active search to the familiar object identification (or detection) problem. In Figure 1, we offer some intuition about why this idea fails to capture important problem structure. Suppose we look for small cars in an image, starting in the grid marked *start*, which we initially think is the best place to look. The greedy policy being a one-shot predictor of likely grid cells containing target, continues to explore similar regions (marked as  $\odot$ ). What this approach ignores, as does framing the problem as traditional one-shot object identification, is the fact that both success and failure of past queries are informative due to complex spatial correlation among objects and other patterns in the scene; here, because the car was not found, we proceed to instead explore regions that have somewhat different characteristics. The key to visual active search, therefore, is to learn how to make use of the ground truth information obtained over a sequence of queries to decide where to query next. Additionally, Section 5 of [11] provides a rigorous analysis of the general sub-optimality of greedy policies in active search settings.

**Relationship to Active Search and Active Learning** VAS is closely related to active search [11, 10, 15, 13]. Active search is typically concerned with binary classification, and aims to maximize the number of discovered positivelylabeled inputs. It uses a function f, which predicts labels of inputs x, as a means to this end, with each query serving the dual-purpose of improving f as well as identifying a positive instance. A central concern in active search, therefore, is achieving a balance of exploration (learning f) and exploitation (identifying target inputs). This consideration is also the key distinction between active search and active *learning* [25], which is concerned *solely* with improving the predictive quality of f. Thus, if we had only a single query, active learning would typically choose x for which prediction is highly uncertain, whereas active search would choose x for which f(x) is most confidently positive. We empirically show that active learning is inappropriate for solving the active search problem.

However, current active search approaches typically lack a pre-search training phase, and are therefore effective in relatively low dimensions and for relatively simple model classes such as *k*-nearest-neighbors. In *VAS*, in contrast, our goal is to *learn how to search*, that is, to learn how to best use information obtained from previous search queries in choosing the next query. We experimentally demonstrate the advantage of *VAS* over conventional active search below.

**Contributions** We propose a deep reinforcement learning approach to solve the *VAS* problem. Our key contribution is a novel policy architecture which makes use of a natural representation of search state, in addition to the task im-

age input, which the policy uses to dynamically adapt to the task at hand at decision time, without additional training. Additionally, we consider a variant of *VAS* in which the nature of input tasks at decision time is sufficiently different to warrant test-time adaptation, and propose several adaptation approaches that take advantage of the *VAS* problem structure. We extensively evaluate our proposed approaches to *VAS* on two satellite imagery datasets in comparison with several baseline, including a state-of-the-art approach for a related problem of identifying regions of an image to zoom into [30]. Our results show that our approach significantly outperforms all baselines.

In summary, we make the following contributions:

- We propose *visual active search (VAS)*, a novel visual reasoning model that represents an important class of geospatial exploration problems, such as identifying poaching activities, illegal trafficking, etc.
- We propose a deep reinforcement learning approach for *VAS* that learns how to search for target objects in a broad geospatial area based on aerial imagery.
- We propose two new variants of *test-time adaptation* (*TTA*) variants of *VAS*: (a) *Online TTA* and (b) *Stepwise TTA*, as well as an improvement of the *FixMatch* state-of-the-art *TTA* method [26].
- We perform extensive experiments on two publicly available satellite imagery datasets, xView and DOTA, in a variety of settings, and demonstrate that proposed approaches significantly outperform all baselines.

# 2. Related Work

**Foveated Processing of Large Images** Numerous papers [33, 31, 30, 36, 32, 22, 29, 20, 19, 35] have explored the use of low-resolution imagery to guide the selection of image regions to process at high resolution, including a number using reinforcement learning to this end. Our setting is quite different, as we aim to choose a sequence of regions to query, where each query yields the *true label*, rather than a higher resolution image region, and these labels are important for both guiding further search, and as an end goal.

**Reinforcement Learning for Visual Navigation** Reinforcement learning has also been extensively used for visual navigation tasks, such as point and object localization [5, 18, 21, 7]. While similar at the high level, these tasks involve learning to decide on a sequence of visual navigation steps based on a local view of the environment and a kinematic model of motion, and commonly do not involve search budget constraints. In our case, in contrast, the full environment is observed initially (perhaps at low resolution), and we sequentially decide which regions to query, and are not limited to a particular kinematic model.

Active Search and Related Problem Settings Garnett et al. [11] first introduced *Active Search (AS)*. Unlike *Active Learning* [24], *AS* aims to discover members of valuable

and rare classes rather than on learning an accurate model. Garnett et al. [11] demonstrated that for any l > m, a l-step lookahead policy can be arbitrarily superior than an m-step one, showing that a nonmyopic active search approach can be significantly better than a myopic one-step lookahead. Jiang et al. [15, 14] proposed approaches for efficient non-myopic active search, while Jiang et al. [13] introduced consideration of search cost into the problem.

We note two crucial differences between our setting and the previous works on active search. First, we are the first to consider the problem in the context of vision, where the problem is high-dimensional, while prior techniques rely on a relatively low dimensional feature space. Second, we use reinforcement learning as a means to learn a search policy, in contrast to prior work on active search which aims to design efficient search algorithms.

## 3. Model

At the center of our task is an aerial image x which is partitioned into N grid cells,  $x = (x^{(1)}, x^{(2)}, ..., x^{(N)})$ . We can also view x as the disjoint union of these N grid cells, each of which is a sub-image. A subset (possibly empty) of these grid cells contain an instance of the target object. We formalize this by associating each grid cell j with a binary label  $y^{(j)} \in \{0, 1\}$ , where  $y^{(j)} = 1$  iff grid cell j contains the target object. Let  $y = (y^{(1)}, y^{(2)}, ..., y^{(N)})$ .

We do not know y a priori, but can sequentially query to identify grid cells that contain the target object. Whenever we query a grid cell j, we obtain both the associated label  $y^{(j)}$ , (i.e., whether it contains the target object) and accrue utility if the queried cell actually contains a target object. Our ultimate goal is to find as many target objects as possible through a sequence of such queries given a total query budget constraint C,

Formally, let c(j, k) be the cost of querying grid cell k if we start in grid cell j. For the very first query, we can define a dummy initial grid cell d, so that cost function c(d, k)captures the initial query cost. Let  $q_t$  denote a query performed in step t. Our ultimate goal is to solve the following optimization problem:

$$\max_{\substack{\{q_t\}}} U(x; \{q_t\}) \equiv \sum_t y^{(q_t)}$$
  
s.t. :  $\sum_{t>0} c(q_{t-1}, q_t) \le C,$  (1)

where  $c(q_{-1}, q_0) = c(d, q_0)$ .

In order to succeed, we need to use the labels from previously queried cells to decide which cell to query next. This is a conventional setup in active search, where an important means to accomplish such learning is by introducing a model f to predict a mapping between (in our instance) a grid cell and the associated label (whether it contains a target object) [10, 15, 13]. However, in many domains of



Figure 2: An overview of the VAS framework.

interest, such as most visual domains of the kind we consider, the query budget C and the number of grid cells Nare very small compared to the dimension of the input x, far too small to learn a meaningful prediction f. Instead, we suppose that we have a dataset of *tasks* (aerial images) for which we have labeled whether each of the grid cells contains the target object. Let this dataset be denoted by  $\mathcal{D} = \{(x_i, y_i)\}$ , with each  $x_i = (x_i^{(1)}, x_i^{(2)}, \dots, x_i^{(N)})$  the task image and  $y_i = (y_i^{(1)}, y_i^{(2)}, \dots, y_i^{(N)})$  its corresponding grid cell labels. Then, at decision (or inference) time, we observe the task aerial image x, including its partition into the grid cells, and choose queries  $\{q_t\}$  sequentially to maximize  $U(x; \{q_t\})$ .

We consider two variations of the model above. In the first, each instance  $(x_i, y_i)$  in the training data  $\mathcal{D}$ , as well as (x, y) at decision time (when y is unobserved before queries) are generated i.i.d. from the same distribution. In the second variation, while instances (x, y) are still i.i.d. at decision time, their distribution can be different from that of the training data  $\mathcal{D}$ . The latter variation falls within the broader category of *test-time adaptation (TTA)* settings, but with the special structure pertinent to our model above.

## 4. Solution Approach

Visual active search over the area defined by x and its constituent grid cells is a dynamic decision problem. As such, we model it as a budget-constrained episodic Markov decision process (MDP), where the search budget C is defined for each instance x at decision time. In this MDP, the actions are simply choices over which grid cell to query next; we denote the set of grids by  $A = \{1, \ldots, N\}$ . Since in our model there is never any value to query a grid cell more than once, we restrict actions available at each step to be only grids that have not yet been queried (in principle, this restriction can also be learned). Policy network inputs include: 1) the overall input x, which is crucial in providing the broad perspective on each search problem, 2) outcomes of past search queries o (we detail our representation of this presently), and 3) remaining budget  $B \leq C$ . State transition simply updates the remaining budget and adds the outcome of the latest search query to state. Finally, an immediate reward for query a grid cell j is  $R(x, o, j) = y^{(j)}$ . We represent outcomes of search query history o as fol-



Figure 3: Our VAS policy network architecture, showing the grid probabilities at three different steps.

lows. Each element of o corresponds to a grid cell j, so that  $o = (o^{(1)}, \ldots, o^{(N)})$ .  $o^{(j)} = 0$  if j has not been previously queried. If grid cell j has been previously queried,

$$o^{(j)} \leftarrow \begin{cases} 1, & \text{if } y^{(j)} = 1\\ -1, & \text{if } y^{(j)} = 0. \end{cases}$$
(2)

Armed with this MDP problem representation, we next describe our proposed deep reinforcement learning approach for learning a search policy that makes use of a dataset  $\mathcal{D}$  of past search tasks. Specifically, we use the *RE-INFORCE* policy gradient algorithm [28] to directly learn a search policy  $\psi(x, o, B; \theta)$  where  $\theta$  are the parameters of the policy that we learn. Specifically, we maximize the following objective function:

$$\nabla J(\theta) = \sum_{i=1}^{M} \sum_{t=1}^{T_i} \mathbb{1}_{\sum_{t\geq 0} c(q_{t-1}, q_t) \leq \mathcal{C}} \nabla \log \psi_{\theta}(a_t^i | x_i, o_t^i, B_t^i) \mathbb{R}_t^i$$
(3)

Where *M* is the number of example search task seen during training and  $\mathbb{R}_t$  is the discounted cumulative reward defined as  $\mathbb{R}_t = \sum_{k=t}^T \gamma^{k-t} R_k$  with a discount factor  $\gamma \in [0, 1]$ .

The output of the search policy  $\psi$  is a probability distribution over A, with  $\psi_j(x, o, B; \theta)$  the probability that grid cell  $j \in A$  is selected by the policy  $\psi$ .

In general,  $\psi$  will output a positive probability over all possible grid cells  $j \in A$ . However, in our setting there is no benefit to querying any grid cell  $j \in A$  that has previously been queried, i.e., for which  $o^{(j)} \neq 0$ . Consequently, both at training (when the next decision is generated) and decision time, we restrict consideration only to  $j \in A$  with  $o^{(j)} = 0$ , that is, which have yet to be queried, and simply renormalize the output probabilities of  $\psi$ . Formally, we define  $\psi'_i(x, o, B; \theta) = 0$  for j with  $o^{(j)} \neq 0$ , and define

$$\psi_j'(x, o, B; \theta) = \frac{\psi_j(x, o, B; \theta)}{\sum_{k \in A: o^{(k)} = 0} \psi_k(x, o, B; \theta)}$$

Grid cells j are then samples from  $\psi'_j$  at each search step during training. At decision time, on the other hand, we choose the grid cell j with the maximum value of  $\psi'_j$ . This approach allows us to simply train the policy network  $\psi$  without concern about feasibility of particular grid cell choices at decision time. In addition, to ensure that the policy is robust to search budget uncertainty, we use randomly generated budgets C at training time for different task instances. In the case of query costs c(j,k) = 1 for all grid cells j, k, each episode has a fixed length C. In general, episodes have no fixed length, and end whenever we exhaust the total cost budget C. The overview of our proposed *VAS* framework is depicted in Figure 2.

Next, we detail the proposed policy network architecture, and subsequently describe an adaptation of our approach when instances at decision time follow a different distribution from those in the training data  $\mathcal{D}$ , that is, the test-time adaptation (TTA) setting.

#### 4.1. Policy Network Architecture

As shown in Figure 3, the policy network  $\psi(x, o, B; \theta)$  is composed of two components: 1) the image feature extraction component  $f(x; \phi)$  which maps the aerial image x to a low-dimensional latent feature representation z, and 2) the grid selection component  $g(z, o, B; \zeta)$ , which combines the latent image representation z with outcome of past search queries o and remaining budget B to produce a probability distribution over grid cells to search in the next time step. Thus, the joint parameters of  $\psi$  are  $\theta = (\phi, \zeta)$ .

We use a frozen ResNet-34 [12], pretrained on ImageNet [16], as the feature extraction component f, followed by a  $1 \times 1$  convolution layer. We combine this with the budget B and past query information o as follows. We apply the tiling operation in order to convert o into a representation with the same dimensions as the extracted features z = f(x), aiding us to effectively combine latent image feature and auxiliary state feature while preserving the grid specific spatial and query related information. Similarly, we apply tiling to the scalar budget B to transform it to match the size of z and the tiled version of o. Finally, we concatenate the features (z, o, B) along the channels dimension and pass them through the grid prediction network g. This consists of  $1 \times 1$  convolution to reduce dimensionality, flattening, a small MLP with ReLU activations, and a final output (softmax) that represents the current grid probability. This

yields the full policy network to be trained end to end via REINFORCE:  $\psi(x, o, B; \theta) = g(f(x; \phi), o, B; \zeta)$ .

#### 4.2. Test-Time Adaptation

A central issue in our model, as in traditional active search, is that tasks faced at decision time may in some respects be novel, unlike tasks faced previously (e.g., represented in the dataset D). We view this issue through the lens of *test-time adaptation (TTA)*, in which predictions are made on data that comes from a different distribution from training data. While a myriad of TTA techniques have been developed, they have focused almost exclusively on *supervised learning* problems, rather than active search settings of the kind we study. Nevertheless, two common techniques can be either directly applied, or adapted, to our setting: 1) *Test-Time Training (TTT)* [27] and 2) *FixMatch* [26].

*TTT* makes use of a self-supervised objective at both training and prediction time by adding a self-supervised head r as a component of the policy model. The associated self-supervised loss (which is added during training) is a quadratic reconstruction loss  $||x - r(z; \eta)||$ , where  $z = f(x; \phi)$  is the latent embedding of the input aerial image x and  $\eta$  the parameters of r. At decision time, a new task image x is used to update policy parameters using just the reconstruction loss before we begin the search. Adaptation of *TTT* to our VAS domain is therefore direct.

The original variant of *FixMatch* uses pseudo-labels at decision time, which are predictions on weakly augmented variants of the input image x (keeping only those which are highly confident), to update model parameters. In our domain, however, we can leverage the fact that we obtain *actual* labels whenever we query regions of the image. We make use of this additional information as follows. Whenever a query j is successful (i.e.,  $y^{(j)} = 1$ ), we construct a label vector as the one-hot vector with a 1 in the location of the successful grid cell j. However if  $y^{(j)} = 0$ , we associate each queried grid cell with a 0, and assign uniform probability distribution over all unqueried grids. We then update model parameters using a cross-entropy loss.

Even as we adapted them, TTT and FixMatch do not fully take advantage of the rich information obtained at decision time in the VAS context as we proceed through each input task: we not only observe the input image x, but also observe query results over time during the search. We therefore propose two new variants of TTA which are specific to the VAS setting: (a) Online TTA and (b) Stepwise TTA. In Online TTA, we update parameters of the policy network after each task is completed during decision time, which yields for us both the input x and the observations o of the search results, which only partially correspond to y, since we have only observed the contents of the previously queried grid cells. Nevertheless, we can simply use this partial information o as a part of the REINFORCE policy gradient update step to update the policy parameters  $\theta$ . In *Stepwise TTA*, we update the policy network parameters, even during the execution of a particular task, at decision time, once every m < C steps. The main difference between *Online* and *Stepwise* variations of our *TTA* approaches is consequently the frequency of updates. Note that we can readily compose both of these *TTA* approaches with conventional *TTA* methods, such as *TTT* and *FixMatch*.

#### 5. Experiments

**Evaluation Metric** We evaluate the proposed approaches in terms of the average number of target objects discovered (we shorten it to **ANT**).

**Baselines** We compare the proposed VAS policy learning framework with the following baselines:

- 1. *random search*, where each grid is chosen uniformly at random among those which haven't been explored,
- 2. greedy classification, in which we train a classifier  $\psi_{gc}$  to predict whether a particular grid has a target object and search the grids most likely to contain the target until the search budget is exhausted, and
- 3. greedy selection, based on the approach by Uzkent and Ermon [30] which trains a policy  $\psi_{gs}$  which yields a probability of zooming into each grid cell *j*. We select grids according to  $\psi_{qs}$  until the budget *C* is saturated.
- active learning, in which we randomly select the first grid to query and then choose C − 1 grids using a stateof-the-art active learning approach by Yoo et al. [37].
- 5. *conventional active search*, an active search method by Jiang et al. [15], using a low-dimensional feature representation for each image grid from the same feature extraction network as in our approach.

**Query Costs** We consider two ways of generating query costs: (i) c(i, j) = 1 for all i, j, where C is just the number of queries, and (ii) c(i, j) is based on Manhattan distance between i and j. Most of the results we present reflect the second setting; the results for uniform query costs are qualitatively similar and provided in the Supplement.

**Datasets** We evaluate the proposed approach using two datasets: xView [17] and DOTA [34]. xView is a satellite imagery dataset which consists of large satellite images representing 60 categories, with approximately 3000 pixels in each dimensions. We use 67% and 33% of the large satellite images to train and test the policy network respectively. DOTA is also a satellite imagery dataset. We re-scale the original ~  $3000 \times 3000$ px images to  $1200 \times 1200$ px. Unless otherwise specified, we use N = 36 non-overlapping pixel grids each of size  $200 \times 200$ .

#### 5.1. Results on the xView Dataset

We begin by evaluating the proposed approaches on the xView dataset, varying search budgets  $C \in \{25, 50, 75\}$  and

number of grid cells  $N \in \{30, 48, 99\}$ . We consider two target classes: *small car* and *building*. As the dataset contains variable size images, take random crops of  $2500 \times 3000$  for  $N = 30, 2400 \times 3200$  pixels for N = 48, and  $2700 \times 3300$  for N = 99, thereby ensuring equal grid cell sizes.

Table 1: ANT comparisons for the *small car* target class on xView.

Method	C = 25	C = 50	C = 75
random search $(N = 30)$	3.41	3.95	4.52
greedy classification $(N = 30)$	3.91	4.60	4.76
greedy selection [30] $(N = 30)$	3.90	4.63	4.78
active learning [37] $(N = 30)$	3.92	4.58	4.73
conventional active search [15] $(N = 30)$	3.61	4.17	4.70
$V\!AS (N = 30)$	4.61	7.49	9.88
random search $(N = 48)$	3.20	3.66	4.11
greedy classification $(N = 48)$	3.87	4.29	4.52
greedy selection [30] $(N = 48)$	3.89	4.42	4.53
active learning $[37](N = 48)$	3.87	4.28	4.51
conventional active search [15] $(N = 48)$	3.26	3.74	4.32
$V\!AS (N = 48)$	4.56	7.45	9.63
random search $(N = 99)$	1.10	2.15	2.96
greedy classification $(N = 99)$	1.72	2.79	3.36
greedy selection [30] $(N = 99)$	1.78	2.83	3.41
active learning [37] $(N = 99)$	1.69	2.78	3.33
conventional active search [15] $(N = 99)$	1.42	2.31	3.10
<b>VAS</b> (N = 99)	2.72	4.42	5.78

Table 2: ANT comparisons for the *building* target class on xView.

Method	C = 25	C = 50	C = 75
random search $(N = 30)$	3.97	4.94	5.39
greedy classification $(N = 30)$	4.69	5.27	5.80
greedy selection [30] $(N = 30)$	4.84	5.33	5.82
active learning [37] $(N = 30)$	4.67	5.24	5.80
conventional active search [15] $(N = 30)$	4.15	5.20	5.51
$V\!AS(N = 30)$	5.65	9.31	12.20
random search $(N = 48)$	3.47	3.96	4.26
greedy classification $(N = 48)$	3.90	4.43	4.61
greedy selection [30] $(N = 48)$	3.95	4.51	4.67
active learning [37] $(N = 48)$	3.88	4.43	4.60
conventional active search [15] $(N = 48)$	3.70	4.11	4.38
$V\!AS(N = 48)$	5.61	9.26	12.15
random search $(N = 99)$	1.55	2.99	4.18
greedy classification $(N = 99)$	2.17	3.96	4.84
greedy selection [30] $(N = 99)$	2.29	4.21	5.22
active learning [37] $(N = 99)$	2.17	3.95	4.82
conventional active search [15] $(N = 99)$	1.68	3.10	4.33
$V\!AS (N = 99)$	4.29	6.91	8.98

The results are presented in Table 1 for the *small car* class and in Table 2 for the *building* class. We see substantial improvements in performance of the proposed VAS approach compared to all baselines, ranging from 15-260% improvement relative to the most competitive state-of-the-art approach, *greedy selection*. There are two general consistent trends. First, as the number of grids N increases compared to C (corresponding to sets of rows in either table), performance of all methods declines, as the task becomes more challenging. However, the decline in perfor-

mance is typically much greater for our baselines than for *VAS*. Second, overall performance improves as C increases (columns in both tables), and the relative advantage of *VAS* increases, as it is better able to take advantage of the greater budget than the baselines.



Figure 4: Comparison of policies learned using VAS (left) and the *greedy* selection baseline method (right).

In Figure 5 we visually illustrate VAS search strategy in comparison with the *greedy selection* baseline (the best performing baseline). The plus signs correspond to successful queries,  $\bigcirc$  to unsuccessful queries, and arrows represent query order. This shows that VAS quickly learns to take advantage of the visual similarities between grids (after the first several failed queries, the rest are successful), whereas our most competitive baseline—*greedy selection*—fails to take advantage of such information. During the initial search phase, the VAS policy explores different types of grids before exploiting grids it believes to have target objects.

Finally, we perform an ablation study to understand the added value of including remaining budget B as an input in the VAS policy network. To this end, we modify the combined feature representation of size  $(2N + 1) \times 14 \times 14$ , consisting of input and auxiliary state features, each of size  $N \times 14 \times 14$ , and a single channel of size  $14 \times 14$  containing the information of remaining search budget, as depicted in Figure 3. We only eliminate the channel from the combined feature representation that contains the information about the number of queries left, resulting in  $2N \times 14 \times 14$  size feature map. The resulting policy network is then trained just as the original VAS architecture.

 Table 3: Comparative ANT performance of VAS without remaining search budget and VAS using small car as the target class.

Method	C = 25	C = 50	C = 75
VAS w/o remaining search budget (N = 30)	4.47	7.38	9.62
VAS (N = 30)	<b>4.61</b>	<b>7.49</b>	<b>9.88</b>
VAS w/o remaining search budget $(N = 48)$	4.34	7.31	9.49
VAS $(N = 48)$	<b>4.56</b>	<b>7.45</b>	<b>9.63</b>
VAS w/o remaining search budget $(N = 99)$	2.63	4.29	5.69
VAS $(N = 99)$	<b>2.72</b>	<b>4.42</b>	<b>5.78</b>

We compare the performance of the policy without remaining search budget (referred to as VAS without remaining search budget) with VAS in Table 3. Across all problem sizes and search budgets, we observe a relatively small but consistent improvement (~ 1-3%) from using the remaining search budget *B* as an explicit input to the policy network.

## 5.2. Results on the DOTA Dataset

Next, we repeat our experiments on the DOTA dataset. We use *large vehicle* and *ship* as our target classes. In both cases, we also report results with non-overlapping pixel grids of size  $200 \times 200$  and  $150 \times 150$  (N = 36 and N = 64, respectively). We again use  $C \in \{25, 50, 75\}$ .

Table 4: ANT comparisons for the *large vehicle* target class on DOTA.

Method	C = 25	C = 50	C = 75
random search $(N = 36)$	1.79	3.50	5.10
greedy classification $(N = 36)$	2.64	4.07	5.88
greedy selection [30] $(N = 36)$	2.82	4.21	5.97
active learning [37] $(N = 36)$	2.63	4.06	5.84
conventional active search [15] $(N = 36)$	1.92	3.63	5.34
VAS(N = 36)	4.63	6.79	8.07
random search $(N = 64)$	1.48	2.96	3.91
greedy classification $(N = 64)$	2.59	3.77	5.48
greedy selection [30] $(N = 64)$	2.72	4.10	5.77
active learning [37] $(N = 64)$	2.57	3.74	5.47
conventional active search [15] $(N = 64)$	1.64	3.15	4.23
VAS(N = 64)	5.33	8.47	10.51

Table 5: ANT comparisons for the ship target class on the DOTA dataset.

Method	C = 25	C = 50	C = 75
random search $(N = 36)$	1.73	3.07	4.26
greedy classification $(N = 36)$	2.04	3.65	4.92
greedy selection [30] $(N = 36)$	2.33	3.84	5.01
active learning $[37](N = 36)$	2.01	3.64	4.91
conventional active search [15] $(N = 36)$	1.86	3.25	4.40
$V\!AS(N = 36)$	3.31	5.34	6.74
random search $(N = 64)$	1.26	2.33	3.14
greedy classification $(N = 64)$	1.89	3.06	3.75
greedy selection [30] $(N = 64)$	2.07	3.32	4.02
active learning [37] $(N = 64)$	1.87	3.05	3.72
conventional active search [15] $(N = 64)$	1.41	2.48	3.38
VAS(N = 64)	3.58	6.38	7.83

The results are presented in Tables 4 and 5, and are broadly consistent with our observations on the xView dataset, with VAS outperforming all baselines by ~ 40 – 80%, with the greatest improvement typically coming with a higher search budget C.

#### 5.3. Visualization of VAS Strategy

In figure 5, we demonstrate the sequential behavior of a pretrained VAS policy during inference. We have shaded the grid such that darker indicates higher probability. The darkest grid at each step is the target to be revealed. In the first row we have VAS searching for *large vehicles*. In step 1, VAS looks at the roof of a building, which looks very similar to a *large vehicle* in the overhead view. Next in step 3, it searches a grid with a large air conditioner which also looks similar to a *large vehicle*. Having viewed these two

confusers, VAS now learns that the rest of the grids with building roofs likely contain no large vehicles. It is important to note that this eliminates a large portion of the middle of the image from consideration as it is entirely roof tops. In step 5, it moves to an area which is completely different, a road where it finds a *large vehicle*. VAS now aggressively begins examining grids with roads. In steps 7 through 13 it searches roads discovering *large vehicle*. Finally in step 15 it explores to a parking lot containing a large vehicle. In our middle example we have VAS targeting small cars. In step 1, VAS targets a road and fails to find a car. In step 3, it searches another road in a different region and finds a car. Having explored regions with prominent major roads it moves to a parking lot in step 5 and finds a car. It now searches a similar parking lot in step 7. Having explored grids with parking lots it goes back to searching minor roads for the duration of its search. VAS does not visit a parking lot in the north east corner, but this parking lot is visually much different from the other two (i.e. it's not rectangular). In our bottom example we have VAS searching for *ships*. In step 1, VAS searches near a harbor. Having found a ship it begins exploring similar harbor regions. In step 3 and 5 it searches other parts of the same harbor finding ships. In steps 7-9, it searches areas similar to the harbor without ships. VAS now learns that ships are not likely present in the rest of the dock and explores different regions leaving the rest of the dock unexplored. These three examples demonstrate VAS's tendency for the explore-exploit behavior typical of reinforcement learning algorithms. Additionally, we note that VAS has an ability to eliminate large areas that would otherwise confuse standard greedy approaches.

#### 5.4. Efficacy of Test-Time Adaptation

One of the important features of the visual active search problem is that queries actually allow us to observe partial information about target labels *at inference time*. Here, we evaluate how our approaches to *TTA* that take advantage of this information perform compared to the baseline *VAS without TTA*, as well as state-of-the-art *TTA* baselines discussed in Section 4.2 (where *FixMatch* is adapted to also take advantage of observed labels).

Consider first the case where there is no difference between training and test distribution over classes. As before we consider xView and DOTA for analysis. The results are presented in Figure 6, and show a consistent pattern. The *TTT* approach performs the worst, followed by (out adaptation of) *FixMatch*, which is only slightly better than *TTT*. *Stepwise TTA* outperforms both *TTT* and *FixMatch*, albeit slightly, and *Online TTA* is, somewhat surprisingly much better than all others (this is surprising since it has a lower frequency of model update compared to *Stepwise TTA*).

Finally, we consider a *TTA* setting in which the domain exhibits a non-trivial distributional shift at inference time.



Figure 5: Query sequences, and corresponding heat maps (darker indicates higher probability), obtained using VAS for different target types.



Figure 6: Comparative results of TTA methods on VAS framework. xView (top; *small car* target): (left) N = 48, (right) N = 99. DOTA (bottom; *large vehicle* target): (left) N = 36, (right) N = 64.

In this case, we would expect the conventional *TTT* and *Fix-Match* methods to be more competitive, as they have been specifically designed to account for distribution shift. We model distribution shift by training the search policy using one target object, and then applying it in the decision context for another target object. Specifically, for xView, we use *small car* as the target class during training, and *build-ing* as the target class at test time. Similarly, on the DOTA dataset we use *large vehicle* as the target class at training time, and use *ship* as the target at test time.

The results for the *TTA* setting with distribution shift are presented in Table 6 and 7 for the xView and the DOTA dataset respectively, where we also add a comparison to the *VAS* without *TTA* of any kind. We observe that the results here remain consistent, with the proposed *Online TTA* outperforming the other approaches, with *Stepwise TTA* yielding the second-best performance.

Table 6: Comparative results on xView dataset with *small car* and *Building* as the target class during training and inference respectively.

Method	C = 25	C = 50	C = 75
without TTA $(N = 30)$	5.28	8.58	11.42
TTT [27] (N = 30)	5.30	8.61	11.45
<i>FixMatch</i> [26] $(N = 30)$	5.31	8.62	11.47
Stepwise TTA $(N = 30)$	5.33	8.64	11.50
Online TTA $(N = 30)$	5.42	8.69	11.58

 Table 7: Comparative results on DOTA dataset with *large vehicle* and *ship* as the target class during training and inference respectively.

Method	C = 25	C = 50	C = 75
without TTA $(N = 36)$	2.69	4.38	5.84
TTT [27] (N = 36)	2.70	4.39	5.84
<i>FixMatch</i> [26] $(N = 36)$	2.70	4.39	5.84
Stepwise TTA $(N = 36)$	2.71	4.40	5.85
Online TTA $(N = 36)$	2.73	4.42	5.98

## 6. Conclusion

Our results show that VAS is an effective framework for geospatial broad area search. Notably, by applying simple *TTA* techniques, the performance of VAS can be further improved at test time in a way that is robust to target class shift. The proposed VAS framework also suggests a myriad of future directions. For example, it may be useful to develop more effective approaches for learning to search *within a task*, as is common in past active search work. Additionally, the search process may often involve additional constraints, such as constraints on the sequence of regions to query. Moreover, it's natural to generalize query outcomes to be non-binary (e.g., returning the number of target object instances in a region).

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