# Neural Blind Deconvolution Using Deep Priors Supplementary Material

Dongwei Ren, Kai Zhang, Qilong Wang, Qinghua Hu, Wangmeng Zuo

This supplementary file includes details of network architecture, ablation studies, comparison on benchmark datasets and more results on real blurry images.

#### **1. Network Architecture**

#### **1.1.** Architecture of $\mathcal{G}_k$

Due to the sparsity of blur kernel k, we only use simple fully connected network to implement  $\mathcal{G}_k$ . The *SoftMax* is used to meet the normalization constraint of blur kernel. The 1D output of  $\mathcal{G}_k$  is finally reshaped to 2D blur kernel.

Table s1: The architecture of  $\mathcal{G}_k$ . Fully connected layer is with the form Linear(input channel, output channel).

<b>Input:</b> kernel size $m_k \times n_k$ , $\mathbf{z}_k$ (200) from the uniform distribution with seed 0.					
<b>Output:</b> blur kernel <b>k</b> with size $m_k \times n_k$ .					
Hidden layer	Linear(200, 1000); ReLU				
Output layer	Linear(1000, $m_k \times n_k$ ); SoftMax				
	Reshape 1D output to obtain 2D blur kenrel with size $m_k \times n_k$				

#### **1.2.** Architecture of $\mathcal{G}_x$

As for  $\mathcal{G}_x$ , we employ the encoder-decoder network with skip connections [9]. As shown in Fig. s1, the *i*-th unit encoderdecoder architecture is first demonstrated. Taking  $e_i$  as an example, we use the form  $e_i(n_f, k, p)$  to represent that the convolutions in  $e_i$  have  $n_f$  filters with size  $k \times k$  and  $p \times p$  padding. We note that the filter size in the last convolution of  $d_i$  is fixed as  $1 \times 1$ . The slope of *LeakyReLU* is 0.2, downsampling is implemented using *stride* = 2, and upsampling is implemented using 2x *bilinear* interpolation. The generative network  $\mathcal{G}_x$  have five units in Fig. s1, and its parameter settings are detailed presented in Table s2. In our current implementation,  $\mathcal{G}_x$  is used to only process the y channel given a color image in yeber space.

Table s2: The architecture of  $\mathcal{G}_x$ , which consists of five  $e_i$ ,  $d_i$  and  $s_i$  in Fig. s1. Convolution is with the form Conv.(input channel, output channel, kernel size, padding size)

<b>Input:</b> $\mathbf{z}_x (8 \times m_x \times n)$	(x) from the uniform distribution with seed 0.
Output: latent image x	$(1 \times m_x \times n_x).$
Encoder unit 1	$e_1(128,3,1), s_1(16,3,1)$
Encoder unit 2	$e_2(128,3,1), s_2(16,3,1)$
Encoder unit 3	$e_3(128, 3, 1), s_3(16, 3, 1)$
Encoder unit 4	$e_4(128,3,1), s_4(16,3,1)$
Encoder unit 5	$e_5(128,3,1), s_5(16,3,1)$
Decoder unit 5	$d_5(128,3,1)$
Decoder unit 4	$d_4(128, 3, 1)$
Decoder unit 3	$d_3(128, 3, 1)$
Decoder unit 2	$d_2(128,3,1)$
Decoder unit 1	$d_1(128,3,1)$
Output layer	Conv.(128,1,1,0); Sigmoid



Figure s1: One unit in encoder-decoder with skip connection, where  $e_i$  is the *i*-th unit in encoder,  $d_i$  is the *i*-th unit in decoder and  $s_i$  is the skip connection between  $e_i$  and  $d_i$ . Taking  $e_i$  as an example, we use the form  $e_i(n_f, k, p)$  to represent that the convolutions in  $e_i$  have  $n_f$  filters with size  $k \times k$  and  $p \times p$  padding. We note that the filter size in the last convolution of  $d_i$  is fixed as  $1 \times 1$ . The slope of *LeakyReLU* is 0.2, downsampling is implemented using stride = 2, and upsampling operation is implemented as 2x bilinear interpolation.

### 2. Ablation Study

#### 2.1. Alternating Optimization vs. Joint Optimization

Fig. s2 provides several failure cases of SelfDeblur-A. It can be seen that SelfDeblur-A may converge to delta kernel and worse solution, while SelfDeblur-J performs favorably on these cases.



Blurry images SelfDeblur-A SelfDeblur-J Figure s2: Failure cases of SelfDeblur-A, while SelfDeblur-J performs well.

#### **2.2. Discussion of selecting** $\lambda$

To determine the choice of  $\lambda$ , different Gaussian noise levels  $\sigma = 1 \times 10^{-3}$  and  $1 \times 10^{-2}$  were added to Levin dataset, where original noise levels of blurry images approach 0. The results are reported in Talbe s3. (1) We tested SelfDeblur with various  $\lambda$  values, and found that  $\lambda = 0.1 \times \sigma$  can generally leads to state-of-the-art performance. (2) On original Levin dataset, SelfDeblur without TV regularizer (*i.e.*,  $\lambda = 0$ ) achieved better quantitative metrics than SelfDeblur ( $\lambda = 1 \times 10^{-6}$ ) in Table 3. Combining (1)&(2),  $\mathcal{G}_k$  and  $\mathcal{G}_x$  are sufficient regularizations for blind deconvolution, and TV regularizer improves robustness for various noise levels.

Table s3: Comparison of SelfDeblur with various  $\lambda$  values on Levin dataset with different noise levels. The noise levels in original dataset approach 0. Different Gaussian noise levels  $\sigma = 1 \times 10^{-3}$  and  $1 \times 10^{-2}$  were added to Levin dataset, respectively.

Noise $\sigma$	Original				$1 \times 10^{-3}$				$1 \times 10^{-2}$						
$\lambda = 1 \times$	0	$10^{-6}$	$10^{-5}$	$10^{-4}$	$10^{-3}$	0	$10^{-5}$	$10^{-4}$	$10^{-3}$	$10^{-2}$	0	$10^{-4}$	$10^{-3}$	$10^{-2}$	$10^{-1}$
PSNR	33.54	33.07	33.23	31.87	27.14	24.28	29.83	30.59	29.44	29.85	23.09	23.99	29.62	29.64	28.75
SSIM	0.9349	0.9313	0.9307	0.9185	0.8322	0.7430	0.8551	0.8788	0.8406	0.8533	0.6899	0.7261	0.8504	0.8338	0.8000

### 3. Comparison on dataset of Levin et al. [5]

Besides the comparison of deblurring images, we further evaluate the estimated kernels using two metrics, *i.e.*, MSE best aligned to ground-truth blur kernel  $k^{gt}$  and maximum of normalized convolution (MNC) [2],

$$\mathsf{MNC} = \max\left(\frac{\mathbf{k} \otimes \mathbf{k}^{gt}}{\|\mathbf{k}\|_2 \|\mathbf{k}^{gt}\|_2}\right).$$

From Table s4, our SelfDeblur is much superior to the competing methods in terms of both the metrics.

	Krishnan et al. [3]	Levin et al. [6]	Cho&Lee [1]	Xu&Jia [10]	Sun <i>et al</i> . [8]	Zuo <i>et al</i> . [11]	Pan-DCP [7]	SelfDeblur			
MSE	675.4	307.0	340.8	402.1	254.7	351.9	347.2	149.5			
MNC [2]	0.8261	0.8693	0.8635	0.8811	0.9305	0.9042	0.8936	0.9408			

Table s4: Comparison of the blur kernel estimation performance on the dataset of Levin et al.

In Fig. s<sup>3</sup>, we compare the deblurring results on #4 kernel, which is the most difficult to handle. The deblurring results by our SelfDeblur are with finer textures, while the results by the other methods are often over-smoothing.



Blurry images

Sun *et al*. [8]

Pan-DCP [7]

SelfDeblur

Figure s3: Comparison on Levin et al.'s dataset.

## 4. Comparison on dataset of Lai et al. [4]

In Fig. s4, we demonstrate comparison results from 5 categories, *i.e.*, *Manmade*, *Natural*, *People*, *Saturated* and *Text*. The images from this dataset are usually with high resolution, so please zoom in the deblurring results to compare texture details.



Figure s4: Comparison on Lai et al.'s dataset. Please zoom in to see texture details.

# 5. More Results on Real Blurry Images

Here, we present more results on real blurry images. The left is blurry images, and the right presents the estimated blur kernels and deblurring results by our SelfDeblur.













#### References

- [1] S. Cho and S. Lee. Fast motion deblurring. ACM Transactions on Graphics, 28(5):145, 2009. 3
- [2] Z. Hu and M.-H. Yang. Good regions to deblur. In European conference on computer vision, pages 59–72, 2012. 3
- [3] D. Krishnan, T. Tay, and R. Fergus. Blind deconvolution using a normalized sparsity measure. In *Proceedings of the IEEE Conference* on Computer Vision and Pattern Recognition, pages 233–240, 2011. 3
- [4] W.-S. Lai, J.-B. Huang, Z. Hu, N. Ahuja, and M.-H. Yang. A comparative study for single image blind deblurring. In Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition, pages 1701–1709, 2016. 5
- [5] A. Levin, Y. Weiss, F. Durand, and W. T. Freeman. Understanding and evaluating blind deconvolution algorithms. In Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition, pages 1964–1971, 2009. 3
- [6] A. Levin, Y. Weiss, F. Durand, and W. T. Freeman. Efficient marginal likelihood optimization in blind deconvolution. In Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition, pages 2657–2664, 2011. 3
- [7] J. Pan, D. Sun, H. Pfister, and M.-H. Yang. Deblurring images via dark channel prior. IEEE Transactions on Pattern Analysis and Machine Intelligence, 40(10):2315–2328, 2018. 3, 4, 5
- [8] L. Sun, S. Cho, J. Wang, and J. Hays. Edge-based blur kernel estimation using patch priors. In *IEEE International Conference on Computational Photography*, pages 1–8, 2013. 3, 4
- [9] D. Ulyanov, A. Vedaldi, and V. Lempitsky. Deep image prior. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 9446–9454, 2018. 1
- [10] L. Xu and J. Jia. Two-phase kernel estimation for robust motion deblurring. In *European Conference on Computer Vision*, pages 157–170, 2010. **3**, **5**
- [11] W. Zuo, D. Ren, D. Zhang, S. Gu, and L. Zhang. Learning iteration-wise generalized shrinkage-thresholding operators for blind deconvolution. *IEEE Transactions on Image Processing*, 25(4):1751–1764, 2016. 3