





ECO

Goutam Bhat Martin Danelljan

Introduction **Discriminative Correlation Filter (DCF) Trackers:** A historical comparison

	MOSSE	CCOT
	[CVPR 2010]	[ECCV 2016]
Status	Pioneering work,	State-of-the-art,
	but obsolete	winner of VOT2016
Image	Raw grayscale	Conv layers from a
Features	values	CNN (and other)
Parameters	~10 ³	~10 ⁶
Speed	~1000 FPS	$\sim 1 \text{ FPS}$

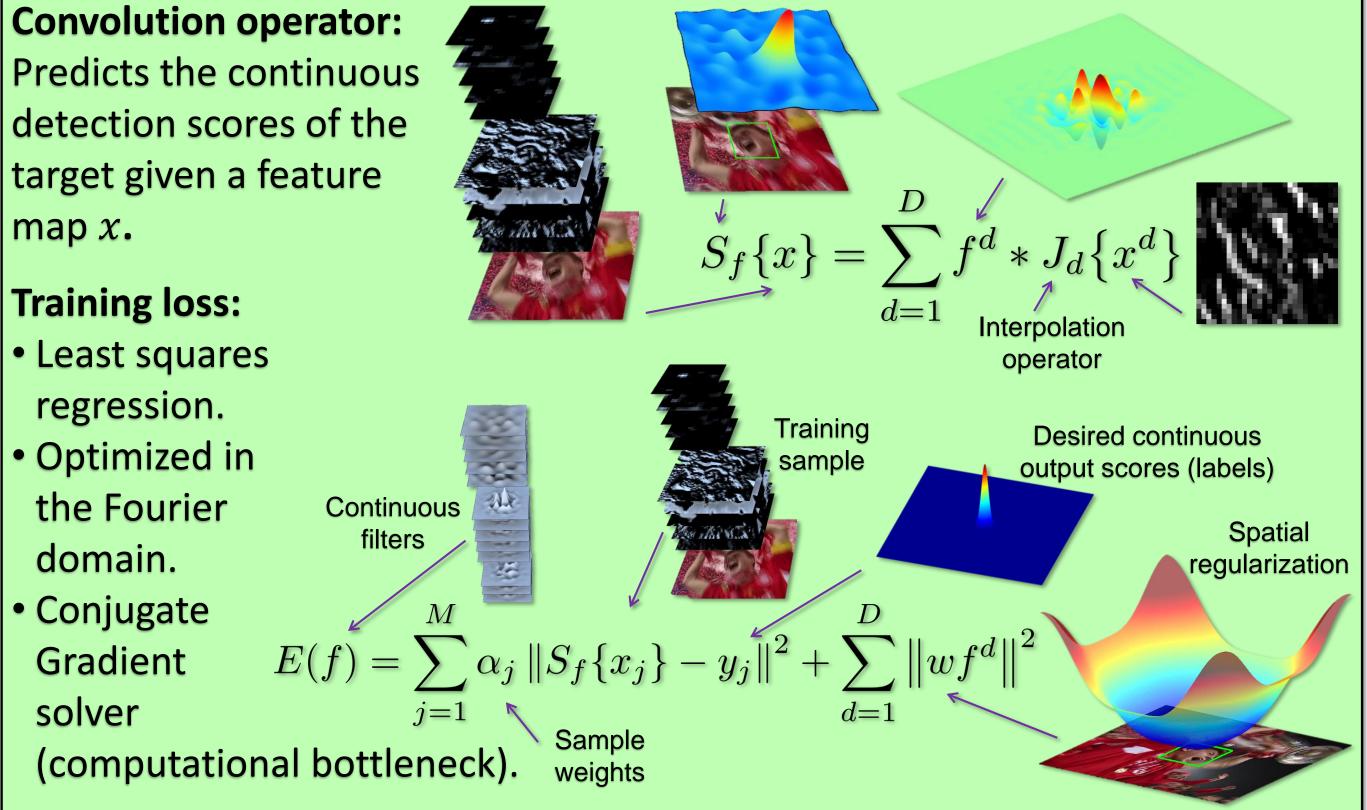
Problem: Improved tracking performance at the cost of increased model size and complexity.

Consequences: (1) Slow tracking, (2) Overfitting

We address (1) computational complexity and (2) overfitting in state-of-the-art DCF trackers by

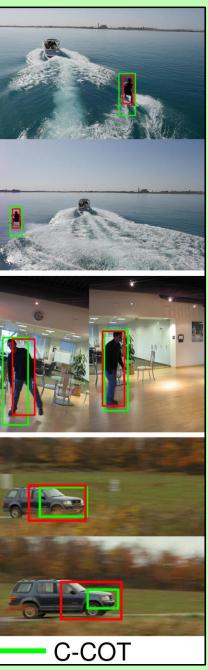
- Reducing the model size using factorized convolution
- Introducing a training set model that reduces its size and increases diversity
- Investigating the model update scheme, for better speed and robustness

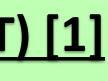
Continuous Convolution Operator Tracker (CCOT) [1]



ECO: Efficient Convolution Operators for Tracking

Computer Vision Laboratory, Linköping University, Sweden





Factorized Convolution:

- **Previous Work:** Large number of excessive filters containing negligible energy (right).
- Leads to slower optimization and overfitting.
- Our Method: We learn a smaller set of filters ² and a coefficient matrix $P = (p_{c,d})$.
- Factorized convolution operator:

 $S_{Pf}\{x\} = \sum_{c,d} p_{d,c} f^c * J_d\{x^d\} = f * P^T J\{x\}$

- We train f and P jointly by minimizing the regression loss in the first frame.
- The loss is optimized in the Fourier domain using Gauss-Newton and Conjugate Gradient.
- Gain: 6-fold reduction in number of filters.

Generative Sample Space Model:



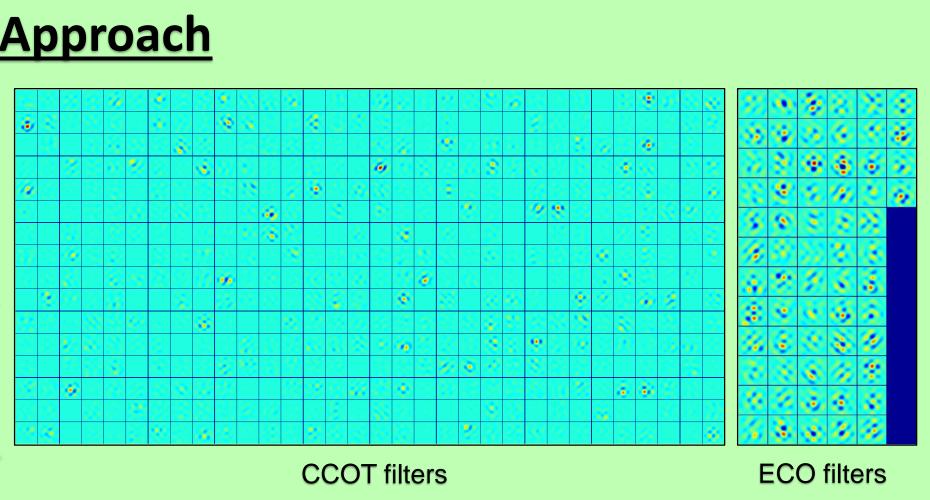


- We optimize an approximate expected regression loss by replacing α_j and x_j with π_j and μ_j .
- Gain: 8-fold reduction in the number of training samples.

Model Update and Optimization Strategy

- **Previous Work:** Most DCF methods update the tracking model in each frame.
- In CCOT, a few (typically five) Conjugate Gradient (CG) iterations is performed each frame. • Our Method: We only optimize every $N_{\rm S}$ frame for faster tracking.
- This also causes less overfitting to recent frames, leading to better tracking performance.
- We further propose to use the Polak-Ribière formula in CG for faster convergence.
- Gain: 6-fold reduction in the number of Conjugate Gradient iterations.

Our Approach





		autem		
	Conv-1	Conv-5	HOG	CN
Feature dim., D	96	512	31	11
Filter dim C	16	64	10	3

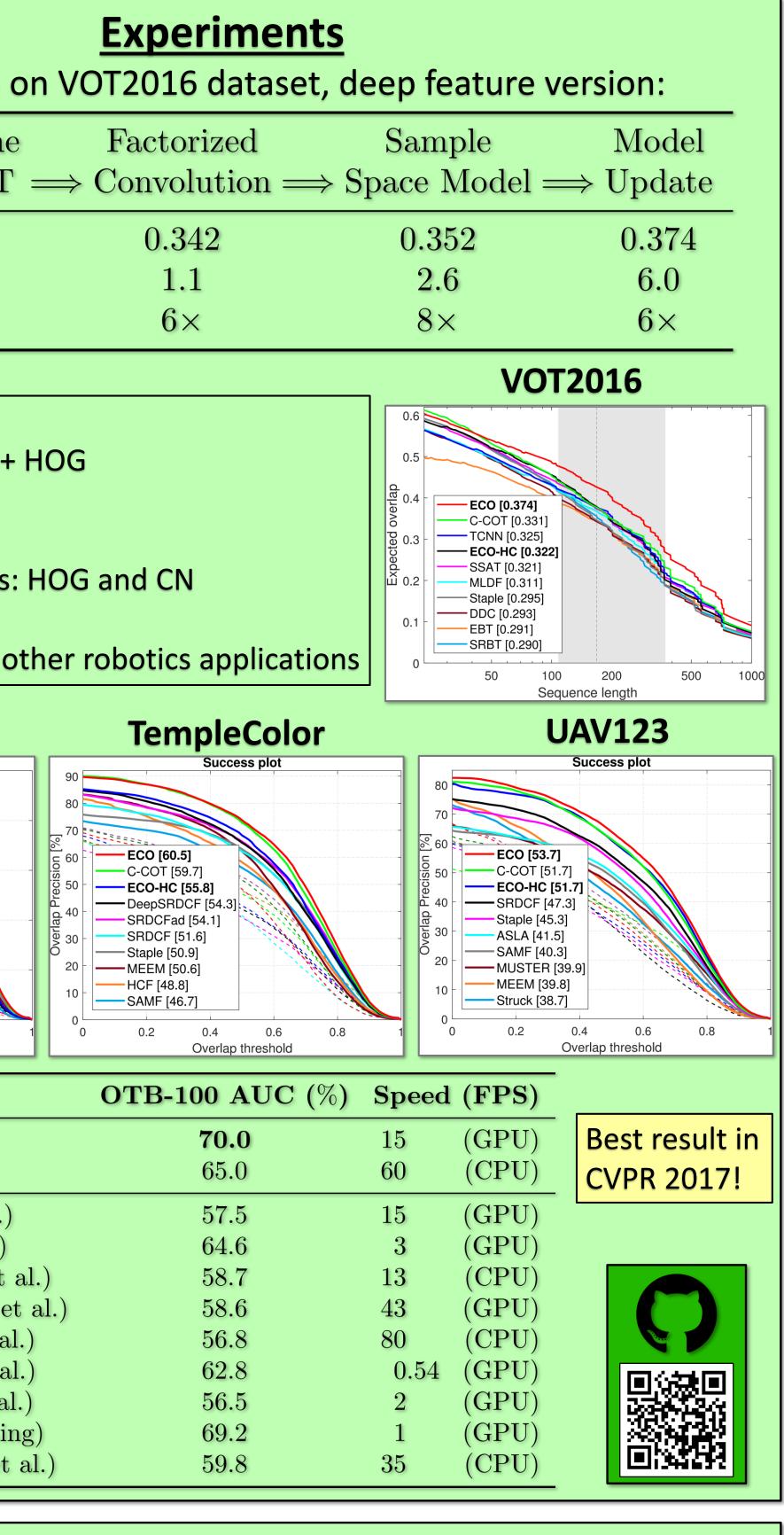
- **Previous Work:** employ a fix learning rate $\alpha_j \sim (1-\gamma)^{-j}$.
- Oldest sample is replaced.
- Requires a large sample limit $M_{
 m max}$
- Costly learning and poor diversity of training samples (see figure).
- Our Method: A Gaussian Mixture Model of the sample distribution
 - $p(x) = \sum_{l=1}^{L} \pi_l \mathcal{N}(x; \mu_l, I)$
- Updated using an efficient online algorithm [2].

	Baselin
	C-CO
EAO	(0.331)
FPS (C	
Compl.	red
ECO:	
	atures (VGG)
• 15 FPS o	n GPU
ECO-HC:	ofted feature
	afted feature
• 60 FPS o	
 Optimal 	for UAV and
Ю	В-100
100	Success plot
80	
8	
ECO [70.0] 60	
ECO [70.0] ECO [70.0] C-COT [69.0 MDNet [68.5 TCNN [66.1] dt 40 ECO-HC [65	
.00 .00 C-COT [69.0 .00 .00 MDNet [68.5 .00 .00 TCNN [66.1] .01 .00 .00 .02 .00 .00 .01 .00 .00 .02 .00 .00 .01 .00 .00 .02 .00 .00 .01 .00 .00 .02 .00 .00 .01 .00 .00 .02 .00 .00 .02 .00 .00 .02 .00 .00 .02 .00 .00 .03 .00 .00 .03 .00 .00 .03 .00 .00 .03 .00 .00 .03 .00 .00 .04 .00 .00 .05 .00 .00 .04 .00 .00 .04 .00	5] 5.0] = [64.3]
20 SRDCF [60.9 Staple [58.4]	5.0] = [64.3] 53.4] 5]
20 SRDCF [60.9 SRDCF [60.9 Staple [58.4] SiameseFC	5.0] = [64.3] 53.4] 5] [57.5]
20 SRDCF [60.9 Staple [58.4] 0 0 0.2	5.0] = [64.3] 53.4] 5]
20 SRDCF [60.9 Staple [58.4] SiameseFC 0 0 0 0 0 0 0 0 0 0 0 0 0	5.0] = [64.3] 53.4] 5] [57.5] 0.4 0.6 0.8
CVPR 201 ECO	5.0] 5.0] 5.64.3] 53.4] 5] 1 [57.5] 0.4 0.6 0.8 Overlap threshold L7 Trackers (Ours)
CVPR 201	5] 5.0] = [64.3] 53.4] 5] 1 [57.5] 0.4 0.6 0.8 Overlap threshold L7 Trackers
CVPR 201 ECO	$\begin{bmatrix} 5.0] \\ = [64.3] \\ 53.4] \\ 5] \\ [57.5] \\ 0.4 & 0.6 & 0.8 \\ 0.4 $
CVPR 201 ECO ECO-HC ACFN ADNet	5] 5.0] 5 [64.3] 53.4] 5] 0.4 0.6 0.8 0.4 0.6 0.8 0.8 0 0.8
CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF	5.0] 5.0] 5.64.3] 53.4] 5] 6.4 0.6 0.8 0.4 0.6 0.8 Overlap threshold L7 Trackers (Ours) (Ours) (J. Choi et all (S. Yun et al. (A. Lukežič et al)
CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF CFNet	5.0] 5.0] 5.64.3] 53.4] 54.4] 54.4] 54.4] 54.4] 54.4] 54.4] 55.4] 54.4] 55.4] 54.4] 55.4] 56.4] 57.5] 57
CVPR 201 CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF CFNet LMCF	5.0] 5.0] 5.64.3] 5.3.4] 5] 6.4 0.6 0.8 Overlap threshold 17 Trackers (Ours) (Ours) (J. Choi et al (S. Yun et al. (A. Lukežič et (J. Valmadre (M. Wang et
CVPR 201 CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF CFNet LMCF MCPF	5.0] 5.0] 5.64.3] 53.4] 54.4] 54
CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF CFNet LMCF MCPF Obli-RaF	5. 5.0] 5.64.3] 5.3.4] 5] 6.4 0.6 0.8 0.4 0.6 0.8 0.4 0.6 0.8 0.4 0.4 0.6 0.8 0.4 0.4 0.6 0.8 0.4 0.6 0.8 0.4 0.8 0.8 0.8 0.8 0.8 0.8 0.8 0.8
CVPR 201 CVPR 201 ECO ECO-HC ACFN ADNet CSR-DCF CFNet LMCF MCPF	5.0] 5.0] 5.64.3] 53.4] 53

baz Khan, and M. Felsberg. Beyond correlation filters: Learning continuous convolution operators for visual tracking. In ECCV, 2016. [2] A. Declercq and J. H. Piater. Online learning of Gaussian mixture models - a two-level approach. In VISAPP, 2008.

Fahad Khan Michael Felsberg





References